## The role of marine mammals in the Barents Sea food web

Marie-Anne Blanchet ${ }^{1^{*}}$, Raul Primicerio ${ }^{1}$, Andre Frainer ${ }^{1,2}$, Susanne Kortsch ${ }^{3}$, Mette SkernMauritzen ${ }^{4}$, Andrey V. Dolgov ${ }^{5}$, Michaela Aschan ${ }^{1}$<br>${ }^{1}$ Norwegian College of Fishery Science, UiT the Arctic University of Norway, 9037 Troms $\varnothing$, Norway<br>${ }^{2}$ Norwegian Institute for Nature Research, Fram Center, 9296 Tromsø, Norway<br>${ }^{3}$ Environmental and Marine Biology, Faculty of Science and Engineering, Åbo Akademi University of Turku, Finland<br>${ }^{4}$ Institute for Marine Research, Bergen, Norway<br>${ }^{5}$ Knipovich Polar Research Institute of Marine Fisheries and Oceanography (PINRO), 6 Knipovich Street, 183038 Murmansk, Russia<br>Corresponding author: tel: +47777232 55; e-mail:marie-anne.e.blanchet@uit.no

ORCID 0000-0001-6704-8568


#### Abstract

: 200 words Marine mammals are important players in the Barents Sea ecosystem but their food web role is poorly known. We identify food web-related characteristics within and between phylogenetic groups for 19 marine mammals. As a group, they are directly connected to the most central species in the Barents Sea (i.e. cod and haddock) and consume over half of the available species. Pinnipeds are the most homogenous phylogenetic group with high omnivory and many prey species. Mysticetes are split between well-connected species with high omnivory like the humpback whale, and peripheral specialists like the blue whale. Some species are consistently clustered together based on food web-derived indices, suggesting


redundancy in topological role forming two groups. One is dominated by Arctic seals and the other by baleen whales. Marine mammals generally contribute to network modularity as their trophic links are mostly within their module. However, Atlantic species such as grey seals act as module connectors decreasing modularity which might negatively affect ecosystem robustness with perturbation effects spreading further and quicker in the food web. In the Arctic reaches of the Barents Sea, climate warming is likely to bring about extensive changes in food web structure and robustness through a redistribution of species.

Key words: Food webs - Barents Sea - Marine mammals - Network - Topological role

## Introduction:

Marine mammals are top predators that influence food webs through direct predation indirect cascading effects and risk-mediated effects (Frank et al., 2005; Frid et al., 2007a; Heithaus et al., 2008; Baum and Worm, 2009; Roman et al., 2014; Hammerschlag et al., 2019). Although marine mammals are generally thought to be important players in many marine ecosystems due to their abundance, large body size and high trophic status (Bowen, 1997; Estes et al., 2009), their food web structural role as a group and per species is rarely assessed. A few studies have considered bottom-up or top-down forcing and include a complete food chain (Springer et al., 2003; Bundy and Fanning, 2005; Trites et al., 2006). Yet, the focus has been on a single species or a few species in relation to their main prey abundance and distribution (Mackinson et al., 2006; Bluhm and Gradinger, 2008; SkernMauritzen et al., 2011; Durant et al., 2014) or their habitat use (Moore, 2008). Marine mammals are a diverse phylogenetic group with a variety of diet and habitat requirements, but they may also display some degree of resource overlap in certain regions (Spitz et al., 2006; Bogstad et al., 2015; Haug et al., 2017). However, the ecological role of marine mammals
from a food web perspective and their degree of dietary overlap have not been investigated, nor the similarities and differences between species. These knowledge gaps challenge conservation and management practices while drastic changes are occurring in most marine ecosystems especially at high latitudes (Dalpadado et al., 2014; Laidre and Regehr, 2017). The role of top predators in an ecosystem can rarely be assessed empirically, except in cases of extirpation or sharp decline in a species' abundance (Frid et al., 2007a; Heithaus et al., 2008), and is thus usually evaluated by modelling approaches (Lindstrøm et al., 2009; Morissette et al., 2012; Heymans et al., 2014). Food web topology can help to assess the ecological role of species within an ecosystem (Jordán et al., 2006) without the extensive and detailed data requirements of a fully parametrized ecosystem model.

Food web analyses are useful tools to address ecological role in ecosystems based on a species' links to prey and predators and on its position in the ecological network (Luczovich et al., 2003; Dunne, 2009; Jordán, 2009; Lai et al., 2012). Food webs provide a description of species interactions, ecosystem structure and functioning (Dunne et al., 2002a; Ings et al., 2008; Olivier and Planque, 2017) and determine how perturbations propagate and energy flows from basal to top species (Rooney et al., 2006). Trophic interactions are considered to be one of the main regulators of ecosystem dynamics (Link, 2002; Allesina and Pascual, 2008), and the food web structure can help evaluate ecosystem vulnerability. At a smaller scale, species are not connected randomly in a food web, but are generally found in highly organised substructures (Dunne et al., 2002a). These configurations are tightly linked to a food web's robustness to perturbations (Dunne and Williams, 2004). The role of species in maintaining ecosystem functioning depends, at least partly, on their direct links to the other species and on their topological position (Dunne et al., 2002a; Jordán et al., 2006; Jordán, 2009). For example, central and functionally unique species, which strongly affect food web structure, might propagate the ecological effects of perturbations through trophic cascades,
whereas species that are more peripheral may be less influential on the network characteristics and dynamics. Identification of key players and understanding of the role of species, or groups of species, is therefore of paramount importance for conservation measures (Jordán, 2009; Worm and Paine, 2016).

Here we use a topological network approach to assess the ecological role of marine mammals in a highly resolved food web topology from the Barents Sea (Planque et al., 2014). Our objectives were to 1) describe the topological position of marine mammals through food web-related properties, 2) to assess their topological similarities and 3) to characterize differences both within and between phylogenetic groups from a food web perspective.

## Material and methods:

## Study area

The Barents Sea is a shallow shelf sea ( 400 m of maximum depth) that is part of the Arctic continental shelf. Its limits are defined by the shelf break bordering the Norwegian Sea on the West, the archipelago of Novaya Zemlya in the East, the Arctic shelf edge in the North and the Norwegian and Russian continental coastlines in the South (Oziel et al., 2017). It is a transition zone from warm and saline Atlantic water to cold and fresh Arctic water. In the last decades substantial oceanographic changes have occurred in this region with a dramatic increase of atmospheric and water temperatures and a higher inflow of Atlantic water (Dalpadado et al., 2012, 2014; Eriksen et al., 2017). This in turns is causing changes in the ecosystem by affecting the distributional range of species and their trophic links (Fossheim et al., 2015; Kortsch et al., 2015; Frainer et al., 2017; Johannesen et al., 2017). The Barents Sea is highly productive, supporting a large biomass from phytoplankton to marine mammals and seabirds (Dalpadado et al., 2014) as well as an intense fishery activity taking place all yearround (ICES, 2014). The Barents Sea includes one of the world's largest fishery area targeting
marine mammals, fish, crustaceans and molluscs (Misund et al., 2016). The most important target species include northeast Atlantic cod (Gadus morhua), capelin (Mallotus villosus), haddock (Melanogrammus aeglefinus) and Greenland halibut (Reinhardtius
hippoglossoides)(Gjøsæter, 2009).

## Food web data

A food web consists of species and their trophic relationships (Odum, 1983). Network theory provides a mathematical framework that allows to represent these systems as the nodes and links of an ecological network (Pimm et al., 1991). To minimize bias due to uneven resolution in food web data (Dunne 2009), species can be grouped into trophospecies (TS), i.e. species sharing prey and predators. We used a highly resolved Barents Sea food web topology compiled by Planque et al., (2014) updating the trophic links between marine mammals and their prey (Tables S1, S2, S3). We also added boreal marine mammal species with potential for poleward expansion, such as the grey seal (Halichoerus grypus), harbour seal (Phoca vitulina) and the blue whale (Balenoptera musculus), and Arctic species whose numbers are currently increasing such as the bowhead whale (Balaena mysticetus) (Gilg and Born, 2005; Wiig et al., 2010). The trophic links are binary (unweighted), only indicating whether a feeding link between two species exists or not.

Binary food webs provide useful information on the pathways of energy flow, the network structure and the topological role of species. As binary food webs do not include the relative importance of a prey item in a predator's diet, as is the case for weighted food webs, they ignore a predators' preferences and foraging efficiencies for its various prey. A limitation of ignoring prey importance is that excessive emphasis may be given to weak feeding links. However, given the difficulty of acquiring quantitatively reliable diet data, a binary food web approach allows to circumvent this problem by stating which species could be eaten by a predator if available. The strength of the approach is that it delivers information on the
ecological role and food web position of species. It also provides insights on pathways of energy flow and structural properties of ecological networks that are otherwise not possible to obtain for comprehensive food webs. This approach also provides an overview of a species' dietary plasticity, which is important to consider when changes in prey abundance and distribution occur.

In total, the food web comprised 239 species or TS including detritus and members of the five ecological groups: plankton (52 including 43 zooplankton species and 9 phytoplanton species), benthic invertebrates (81), fish (77), seabirds (9) and marine mammals (19) (Fig. 1a). Diet information for certain species was not available from the Barents Sea; in such cases we included diet information from other ecosystems. We assumed that if a link was documented in an ecosystem other than the Barents Sea, and if the prey and predator are both found in the Barents Sea food web, then the link is also likely to exist in the Barents Sea.

## Food web metrics

All numerical and statistical analyses were performed using the software R ( R Core Team 2018).

The structure of food webs can be described using a series of metrics (Table 1) calculated on the basis of the number of species, the number of trophic links and their distribution across the network (Lau et al., 2017). These indices are calculated at the network level. Here we calculated 14 standard measures of food web structural properties (See Table 1 for the definitions) : number of species, number of links, links density, connectance, average degree, in-degree out-degree, level of omnivory, average shortest path, average trophic level, proportion of predator, omnivore, cannibal and basal species (Pimm et al., 1991; Christensen and Pauly, 1992; Dunne et al., 2002b; Williams et al., 2002; David et al., 2004; Dunne and Williams, 2004; Bascompte et al., 2005; Thompson et al., 2007; Kones et al., 2009).

To indirectly explore the robustness of the network to the removal of its most connected species, we fitted the cumulative distribution of degrees with three simple models: power law, exponential and truncated distribution (de Santana et al. 2013). Networks that follow a power law degree distribution are very vulnerable to the removal of the most connected nodes, whereas networks that follow an exponential degree distribution are less vulnerable (Dunne et al., 2002a; Estrada, 2007; de Santana et al., 2013). This is because in the first case, a small proportion of species form links with the majority of the other species in the network, forming a structural bottleneck. Hence the disappearance of these very connected species would cause the collapse of the network through secondary extinctions (Estrada, 2007). In the second case no such species exist as the number of links are spread more evenly between all the species providing a greater network robustness to species' removal (Estrada, 2007).

Food webs tend to divide into groups of more densely connected species called modules (Clauset et al., 2004; Newman, 2006). Species belonging to the same module have more trophic links with each other compared to the rest of the species and tend to have shorter paths between them. We partitioned the species into food web modules using the walktrap algorithm (Pons and Latapy, 2006), which relies on a random walk. The algorithm assumes that species belonging to the same food web module will be connected by the shortest paths assuming a random walk (Pons and Latapy 2006) because they are more likely to have direct links with each other than with other species in the food web. The algorithm returns module affiliations for each species. We used the R package "igraph" for the above computations (Csardi and Nepusz, 2006).

Species-specific centrality measures and topological role

The importance of a species within a network can be evaluated based on the centrality of its position relative to other species (Wasserman and Faust, 1994). Central species tend to have a greater influence on the network structure than peripheral ones (Jordán et al., 2006; Jordán, 2009; Lai et al., 2012). Each species can be characterized by a series of metrics (Table 1) assessing their centrality and multiple centrality measures are generally recommended because single indices do not offer an exhaustive description of a species' topological position and role (Lai et al., 2012). These species-specific metrics can be either direct (taking into account only the immediate neighbours or direct links) or indirect (taking into account further links in the network) (Table 1).

We first calculated four direct centrality measures: (i) the in-degree (number of prey), (ii) the out-degree (number of predators), (iii) the degree (the total number of prey and predators), and (iv) the level of omnivory. Further, we calculated six indirect centrality measures: (i) eigenvector centrality, which reflects the centrality of a species by taking into account the centrality of its neighbour essentially representing a weighted version of degree centrality (Wasserman and Faust 1994 in Lai et al 2012); (ii) the betweenness centrality. which reflects how often a species lies on the shortest path between a pair of species; (iii) information centrality, which is similar to betweenness centrality but considers all paths between a pair of species (Wasserman and Faust, 1994); (iv) closeness centrality, which measures how many steps away a species is from the others in the network. The greater the closeness centrality of a species the quicker it will affect the other species through both direct and indirect effects. We also used (v) Google's PageRank algorithm (Brin and Page, 1998) as a variant of the eigenvector centrality measure because it takes into account the direction of the feeding links and therefore places more emphasis on the in-degree, i.e. number of prey (Allesina and Pascual, 2009). In addition, the (vi) trophic level (TL) of each species was calculated based on path lengths from the basal species to the species of interest, using either all the shortest paths
(SWTL, based on paths with minimum number of intermediate species), or all the longest paths (LWTL, based on paths with maximum number of intermediate species), weighted by the number of prey species (Thompson et al., 2007). An averaged TL was also calculated for each species based on the average shortest path, essentially representing the weighted average of its food items. All above indices were calculated using the "CINNA" and "igraph" package in R (Csardi and Nepusz, 2006; Ashtiani, 2019).

Whether species interact only within their modules or equally with species in other modules will determine their role in the spreading of perturbations and in energy flow pathways. To assess this we used the method of functional cartography (Guimerà and Nunes Amaral, 2005; Kortsch et al., 2015) which characterizes how each species is positioned in its own module and with respect to species in other modules. Each species was assigned a module membership based on the walktrap algorithm as described above. The within and between module linkage of a species was addressed using two metrics: the z-score or withinmodule degree and the participation coefficient score (PC) or among-module degree (table 1). The z-score reflects how well a species is connected to species in its own module relative to the other species within its module, measured in terms of standard deviations from the mean. In our case, this represents whether a species has more or less links within its module compared to the module average. The 2.5 threshold proposed by Guimera and Nunes Amaral (2005) is used as reference to identify species with considerable higher within module linkage than average. Accordingly, species with $\mathrm{z}>2.5$ are qualified as module hubs whereas species with $\mathrm{z}<2.5$ are non-hubs. Conversely, the PC score indicates how well a species is connected to species belonging to other modules and its values vary continuously between 0 and 1 .

Guimera and Nunez Amaral (2005) define a species that has at least $60 \%$ of its links within its module as peripheral, interacting preferentially with species within its module. This corresponds to $\mathrm{PC}=0.625$. A species with all its links within its own module will have a PC
$=0$ whereas for a species with all its links evenly distributed among modules PC will tend towards 1. To determine each species' topological role, the z-PC space is divided into four regions by the threshold values of $\mathrm{z}=2.5$ and $\mathrm{PC}=0.625$ (Guimerà and Nunes Amaral, 2005;

Olesen et al., 2007; Carstensen et al., 2012; Kougioumoutzis et al., 2014; Kortsch et al., 2015; Torre et al., 2019). Species with $\mathrm{z}>2.5$ and $\mathrm{PC}<0.625$ are defined as module hubs because they have few links outside of their own module but connect to most of the species within their module. They are important within their module as they maintain its coherence. Species with $\mathrm{z}<2.5$ and $\mathrm{PC}<0.625$ are defined as network peripheral because they have few links outside of their module and connect with few species within their module. These species are often specialist species with the lowest number of prey. Species with z $<2.5$ and PC $>0.625$ are defined as module connectors as their links tend to be evenly distributed among modules. These species are important to network coherence as they connect modules together. Finally species with $\mathrm{z}>2.5$ and $\mathrm{PC}>0.625$ are defined as network connectors because they have links with most of the species within their module and the majority of their links with other modules. Hence these species are important both for their own module but also for the entire network coherence.

We used a principal component analysis (PCA) to compare marine mammal species to other functional groups in terms of centrality measures and to assess how homogenous they are as a group. Before analysis, each centrality measure was centred and standardized to limit the effect of differences in variance among variables on the PCA outcome.

Topological redundancy of marine mammals; intra- and inter- functional group comparison Quantifying structural redundancy in communities is not a straightforward task, but network analysis provides a synthetic framework for assessing similarities in direct and indirect trophic interactions (Clarke and Warwick, 1998; Walker et al., 1999; Jordán, 2009). We consider several metrics encompassing different aspects of similarity at the local scale (direct
neighbours) and at the network scale (considering the network positions of each species). We chose four indices of similarity. 1) The trophic overlap quantifies the percentage of diet overlap between two species based on the presence of an item in the diet of a consumer. This measure is not symmetrical as two species usually have different diet breadth and takes into account only a part of a species' direct neighbours (here the prey species). 2) The Jaccard index is a measure of structural equivalence and is defined as the ratio of shared prey and predators over the total number of prey and predators for both species (Lai et al., 2012; Olivier and Planque, 2017). This index considers all the direct neighbours (prey and predators). The index was calculated using a custom written code in R. 3) The regular equivalence index measures the similarity between two species based not only on their direct links (prey and predators) but also considering their position within the food web (Luczovich et al., 2003). Therefore this index allows to partition species into groups that play the same structural roles even if they do not share the same prey or predators. The index of regular equivalence was calculated with the CATREGE algorithm (Borgatti and Everett, 1993) using the sna R package (Butts, 2008). 4) Finally we used the Euclidian distance between pairs of marine mammals species calculated on the basis of the 14 metrics described in the previous paragraph. We assume that the greater the distance between two (or more) species, the more dissimilar they are in terms of functional characteristic (Walker et al., 1999). The trophic overlap and Jaccard indices are linked to the concept of dietary niche overlap and competition (Pianka, 1974) whereas the concepts of regular equivalence and network centrality are linked to the trophic role of two species and their potential functional redundancy regardless of their diet overlap (Luczovich et al., 2003). Obviously two species with complete niche overlap and the same set of predators will also have the same functional role in the food web; however two species with very different sets of prey and predators can have the same topological role (Olivier and Planque, 2017).

For each index of similarity, we performed a hierarchical clustering, computing pvalues for each cluster via multiscale bootstrap resampling. High p-values ( $>0.95$ ) indicate that clusters of species are strongly supported by the data (Shimodaira, 2004). The clustering was performed using the pvclust package in R (Suzuki and Shimodaira, 2006).

## Results

## Structural properties of the food web

The 239 trophospecies included in the food web were connected through 2464 links yielding a link density of 10.3 links per species. The average number of links was 20.4 per species with an equal average number of prey or predators (10.2 $\pm 12.6$ and $10.2 \pm 14.3$ respectively). At the network scale, $4 \%$ of all the potential links (if all species in the food web were linked) were realized (connectance $=4 \%$ ), and $97 \%$ of the species had at least one prey. Basal species consisted mainly of primary producers and detritivores ( $3 \%$ of the species, $\mathrm{n}=7$ ). Conversely, $93 \%$ of the species had at least one predator while $7 \%$ did not have any. Fifty-two percent of the species were omnivores, i.e. they were feeding across several TL and $11 \%$ were cannibals. The shortest path length between the consumers and each of the seven basal species was on average 2.3 whereas average TL was 3.08 . The cumulative degree distribution was best fitted by an exponential distribution $\left(\right.$ AIC $\exp =-650 ; \mathrm{AIC}_{\text {power }}=-160$; AIC $_{\text {truncated }}=22$ ) (Fig. 2).

## Marine mammals in the food web

As a group, marine mammals consume 134 available TS of the Barents Sea food web, which represents $56 \%$ of the available species. Prey of marine mammals belong to 60 different families, including zooplankton, benthos, fish and other marine mammals. This group has the highest number of prey items per species than any other ecological group $\left(\right.$ mean $_{\text {mammals }}=27.5, \pm 16 ;$ mean $_{\text {plankton }}=4.9 \pm 4.9 ;$ mean $_{\text {benthos }}=4.5 \pm 8.0 ;$ mean $_{\text {fish }}=15.5 \pm$ 18.1; mean $_{\text {birds }}=13.1 \pm 10.8$ prey / predator). Metrics calculated for each species of marine
mammals are presented in table 2 . The number of marine mammals' prey ranges from four, for the sperm whale (Physeter microcephalus), to 52 for the harbour porpoise (Phocoena phocoena) and differs between phylogenetic groups (Fig. 2, table2). Odontocetes (toothed whales) show a particular large spread in number of prey items and include species with the lowest and highest number of in-degrees. Mysticetes (baleen whales) and pinnipeds (seals) have both a greater total number of links compared to odontocetes and pinnipeds are more homogenous as a group (Fig. 2, table 2). It is also worth noting that the polar bear (Ursus maritimus) is among the species with the lowest total number of trophic links (prey + predators) with only 8 direct links.

The PCA based on the food web characteristics of each species shows that most of the marine mammals share similar characteristics compared to other functional groups (Fig. 3a). The first axis of the PCA indicates that marine mammals are generally associated with longer paths, high TLs between 3.5 and 5.2, large number of prey, small number of predators (range $0-4)$ and are connected to the maximum number of basal species ( $n=7$ ). They score low on the second axis that mostly characterizes species by their measures of centrality in the food web. However, marine mammals are connected to the most central species in the network as shown by their globally high eigenvector centrality scores and page rank scores. As a group, marine mammals have food web characteristics based on centrality measures similar to those of seabirds and some predator fish and opposite to plankton and benthic invertebrates (Fig. 3a). This is confirmed by the position of the centroids for each group, showing a proximity between fish, marine mammals and seabirds, while plankton and benthic invertebrates tend to be more similar to each other and located away from the other groups (Fig. 3a).

Although marine mammals as a group show some commonalities, some differences between phylogenetic groups and species are apparent (Table 2, Fig. 3b). Pinnipeds are the most homogenous group associated with the highest level of omnivory and large number of
prey which are well connected to the rest of the network as shown by the high average eigen vector values. We note the exception of the walrus (Odobenus rosmarus) that has the highest level of omnivory ( 0.81 ) of all marine mammals and the lowest number of prey $(\mathrm{n}=19)$ of the pinnipeds (range 19-49). Mysticetes, on the other hand are generally less central than the pinnipeds although there is a certain variability in the group. For example, two species, the blue whale and the bowhead whale are specialists with a low TL (range 3.5-3.8) feeding mostly on peripheral planktonic prey (Fig. 1b). The three other baleen whales species feeding on a wider diversity of prey at a higher TL (range 3.8-4.5) are more omnivorous. Odontocetes are the most heterogeneous group including species with few prey and low centrality measures such as the sperm whale, and more central species such as the harbour porpoise, which has centrality measures similar to those of pinnipeds. Species with the highest TL are the polar bear and the killer whale ( $\mathrm{TL}=5.2$ ) (Orcinus orca) feeding also on other species of marine mammals, whereas the species with the lowest $\mathrm{TL}(\mathrm{TL}=3.5)$ is the bowhead whale feeding mostly on zooplankton.

## Marine mammal module affiliation

The walktrap algorithm split the food web into four distinct modules containing 55, 49, 42 and 93 species (Fig. 1a). Module A was dominated by plankton, modules B and C by benthos and module D had a majority of fish (Fig. 1a, Fig. 4). The clustering coefficient measuring the probability that two nodes adjacent to a third are also linked was on average 0.21 in the food web.. Marine mammals were segregated in two distinct modules, A and D, which comprise 5 and 14 marine mammal species, respectively (Fig. 1, 4). Mysticetes segregate in module A dominated by plankton whereas pinnipeds and odontocetes are found in module D dominated by fish (Fig. 4). Two species do not follow this pattern; the whitebeaked dolphin (Lagenorhynchus albirostris) grouped with the baleen whales (module A) and the minke whale (Balaenoptera acutorostrata) grouped with the pinnipeds and the rest of the
odontocetes (module D This patterns might be due to the fact that white-beaked dolphins share $73 \%$ of their prey item with marine mammals from module A and minke whales share $92 \%$ of their prey items with marine mammals from module D.

Marine mammals tend to interact more with species within their modules than in other modules. This is especially true for baleen whales in module A that have $86 \%$ of their links within that module (Fig. 4). This is also the case, although to a lesser extent for marine mammal species in module D with $60 \%$ of their links within module D (Fig. 4). The above finding agrees with the functional cartography analysis (Fig. 5). The majority of marine mammal species are considered as network peripherals interacting mainly with species within their own modules, although there is a wide spread especially in their among-module connectivity (PC) scores. Some species, such as the blue whale, interact mainly with species within their own module, while others, like the harbour porpoise, interact more with species outside of their module. One species acts as module connector: the grey seal (Halichoerus grypus). It is worth noting that the walrus (Odobenus rosmarus) and the bearded seal (Erignathus barbatus) metrics are close to those of module connectors.

Diet overlap and topological redundancy
The dietary niche overlap is the highest among baleen whales (mysticetes) followed by seals while the lowest overlap occurs within the odontocetes (Fig. 6a, S1a, Table 3). The same observation is true by considering the Jaccard index, which takes into account only the shared prey and predators for every pair of marine mammal (Fig. 6b, S1b, Table 3). The dietary niche of the fin, bowhead and blue whales are entirely included within the humpback's niche (mysticetes) whereas minke whale's diet overlaps the least with other species in its phylogenetic group. Conversely, the blue whale has the largest overlap with the other mysticetes (Fig. 6b, S1b, Table 3).

The diet of pinnipeds is included within the diet of several odontocetes with the exception of the killer whale which consumes pinnipeds. Based on the clustering analysis, some species were consistently grouped together both considering the percentage of diet overlap and the Jaccard index: ringed, harp and hooded seal; white beaked dolphin and beluga whale; and the remaining baleen whales with the exception of the minke whale (Fig. S1a,b and Table 3).

There is a great variability in the regular equivalence and centrality distances both within and across phylogenetic groups (Fig. 6 c, d, Fig. S1c, d, Table 3). The greatest topological similarity occurred between pinniped species but some individual species such as the minke whale also shows great similarities with the seals. Based on these two metrics, species cluster in two main groups: one including the seals, harbour porpoise and the minke whale and the other including the remaining species. The composition of these two groups is relatively similar between the two methods (Fig. S1 c, d, Table 3).

## Discussion

Marine mammals are often simply characterized as being top predators, but our results show that these species occupy diverse positions within the food web, and play different ecological roles. Marine mammals range from network peripherals, feeding mainly at one TL within one module and on a few prey items to module connectors, with many prey items belonging to several TLs and modules. Overall, marine mammals occupy high trophic positions, associated with the longest trophic chains, have few predators and the highest average number of prey per species compared the other ecological groups. As a group, they have direct trophic links to over half of the available species in our Barents Sea food web. Hence, they may contribute to the stability of the food web, which is enhanced when species at high TLs feed on multiple prey species (Gross et al., 2009). This aspect is consistent with
top predators connecting otherwise separate energy channels (Neutel et al., 2007). Indeed, each marine mammal species is indirectly linked to six or seven of the seven basal species found in the food web. By connecting separate energy channels (for example phytoplankton and detritivore-driven channels), marine mammals may enhance the robustness of the food web to bottom-up perturbations (Neutel et al., 2007; Gross et al., 2009) by allowing the rewiring of energy paths if one chain was to disappear. This would ultimately allow the persistence of upper trophic levels, although some intermediate levels may disappear (Staniczenko et al., 2010). Overall, marine mammals are split between specialist species with few prey items and generalist species with many prey items, and varying levels of omnivory. Species with both high level of omnivory and large number of prey are mostly Atlantic species associated with warmer waters masses and independent of sea ice. These species have the potential to invade Arctic regions undergoing rapid climate-driven change, where they may have a competitive advantage over Arctic top predators which suffer from loss of sea ice and an increased importance of novel, boreal prey species (Fossheim et al., 2015). The structure of Arctic food webs might thus be modified becoming less modular and robust (Kortsch et al., 2015, 2018) and the invasion of boreal species may trigger extinction cascades (Romanuk et al., 2017).

Marine mammals are not among the most central species in the food web, but they feed on some of the most central species in the network (for example Atlantic cod Gadus morhua, and calanoid copepods). Thus, changes in marine mammal distribution or abundance may indirectly affect many species in the ecological network through top-down processes. For example, loss or increase of top predators can result in trophic cascades (Frank et al., 2005; Heithaus et al., 2008), which will be particularly pronounced when those predators are generalists with many prey on a single TL. The minke whale and the harbour, harp and hooded seals, target collectively over 50 different prey items mainly within the same TL, with
the potential to deplete that TL. Although depleting the whole range of these prey species is unlikely, feeding on a single TL could decrease the overall predation pressure on TLs below. The prey of minke whale, harbour, harp and hooded seals are mainly fish, and include important commercial species such as Atlantic cod, herring (Clupea harengus), capelin (Mallotus villosus) and Atlantic mackerel (Scomber scombrus) (Tjelmeland and Bogstad, 1998).

Fisheries could enhance the risk for trophic cascades by targeting the same fish species as the above-mentioned marine mammal species. Intense fishing has been shown to cause the collapse of fish stocks and to have synergistic effects with natural predation by grey seals off Newfoundland and in the Baltic (Eero et al., 2011; Hammerschlag et al., 2019). In the case of Newfoundland, the collapse of the demersal fish community led to drastic ecosystem changes. The collapse of cod, haddock and hake amongst others led to trophic cascades that caused new fishery regime targeting benthic macroinvertebrates (Frank et al., 2005). In this context, grey seals benefitted from the cod collapse because it released small pelagic fish stocks and benthic invertebrates from the cod's predation and decreased the overall competition. The ability of the grey seal as a generalist predator to switch prey was subsequently linked to an increase of its population (Frank et al., 2005).

Trophic cascades can also happen when "super predators", here marine mammals feeding on other marine mammals, switch prey. In the Barents Sea, the polar bear, the walrus and the killer whale feed partly on other marine mammals. They are known to switch prey by either targeting other marine mammals or by targeting other species at a lower TL; this may change the predation pressure on TLs below and thus initiate trophic cascades (Estes et al., 2009). This has been illustrated in the Aleutian Islands, when killer whales consumed sea otters instead of pinnipeds releasing predation pressure on sea urchins and causing the depletion of the kelp forest due to over grazing by the sea urchins (Springer et al., 2003; Estes et al., 2009;

Ripple et al., 2016; Hammerschlag et al., 2019). Information on killer whales in the Barents Sea in sparse but recent tracking data suggest that they occupy the region all year-round (Dietz R. pers. comm.) although their numbers are likely low. Their lack of sea ice dependency likely gives them a competitive advantage over polar bears and walruses; thus killer whales are likely to become a major predator in the Artic. This is already the case in the Canadian Arctic where they prey on bowhead whales, beluga whales, narwhals and seals (Ferguson et al., 2012; Higdon et al., 2012). They have the potential to alter Arctic food web and have been linked to decline in certain marine mammal populations (Wade et al., 2007). Trophic cascades can also be mediated through risk effect by inducing changes in preypredator dynamics through behavioural switches. In the Northwest Atlantic, harbour seals underutilise the deep-dwelling pollock (Pollachius pollachius) population in order to avoid predation by the Pacific sleeper shark (Somniosus pacificus) and prey preferentially on surface herring. When the sharks were removed due to intensive by catch, seals started preying more intensely on Pollock releasing herring from predation and initiating trophic cascades (Frid et al., 2007b). The Barents Sea equivalent of the sleeper shark, the Greenland shark (Somniosus microcephalus) has also been suggested as a potential important predator for the Svalbard harbour seal population (Leclerc et al., 2012). However, the ecological role of this shark species remain unclear due to the lack of basic biological knowledge. For example it is unclear whether this species only scavenges or actively hunt seals in this region.

Marine mammals are a phylogenetically diverse group and our results show differences in network positioning both within and between phylogenetic groups. Pinnipeds include the most generalist species feeding on many central species, but there are large interspecific differences within this group. The bearded seal feeds on many fish and benthic invertebrates from a variety of TLs which results in a high level of omnivory. The walrus on the other hand relies on a smaller number of prey species, but shows the highest level of omnivory in the
marine mammal group, consuming benthic invertebrates, fish and marine mammals. By feeding on invertebrates buried in the sea floor, these two Arctic species may also contribute to the abiotic environment through oxygenation of the sediment. This highlights their importance in the ecosystem not only through their direct trophic links but as ecosystem engineers (Hacquebord, 2001; Roman et al., 2014). The five remaining species of pinnipeds are very similar topologically, although their food items may differ. It is interesting to note that this group is composed of both ice-associated species (ringed, harp and hooded seals) and boreal species (harbour and grey seals) with very different habitat requirements. Mysticetes and Odontocetes are heterogeneous groups with both specialist species feeding on a low number of similar prey items, such as the blue and sperm whales, and generalist species feeding on many prey items, such as the harbour porpoise. Odontocetes have generally a low level of omnivory, with the exception of the harbour porpoise whereas Mysticetes such as the fin and humpback whales show a level of omnivory close to some pinnipeds.

Marine mammals belong to two of the four modules identified in the Barents Sea food web network and find the majority of their prey items within their own module. Therefore, as a group, marine mammals contribute to the modularity of the food web, but there are large interspecific differences. The first module contains most of the planktivorous baleen whales that find over $80 \%$ of their prey species in their own module. An extreme case is the one of the blue whale that feeds only on species within its own module. Therefore, changes affecting large baleen whales abundance, or their foraging strategies will mainly affect species in their own module in a top-down perspective. In addition, baleen whales only utilise a fraction of the available prey in their module and may thereby contribute to the stability of the Barents Sea food web by restricting the propagation of top-down perturbations within a part of their own module (Stouffer and Bascompte, 2011).

Marine mammals in the second module (all the pinnipeds, most of the odontocetes and the minke whale), have more than a third of their prey in the three other modules, which suggests that their contribution to modularity is not as high as that of marine mammals in the first module. Perturbations linked to these marine mammal species may therefore propagate to other modules of the food web, in addition to their own in which the full range of available species is exploited. The grey seal being the only module connector among marine mammals may be especially important in spreading the effects of perturbations across the food web. Although grey seals are not presently abundant in the Barents Sea and are currently restricted to the southern part, they may expand northwards due to climate-warming (Fossheim et al. 2015). Indeed, the population of grey seals on the Norwegian coast and the Kola Peninsula in Russia has been increasing for the past 30 years which may trigger an expansion of their distributional range. Anecdotic records of grey seals in Greenland have been reported where individuals have been observed North up to Disko Bay and suggest that grey seals are occasional visitors to Greenlandic waters (Rosing-Asvid et al., 2010). Harbour and grey seals often haul out in similar areas and there is a permanent harbour seals population on the West coast of Svalbard (Lydersen and Kovacs, 2005; Blanchet et al., 2014). It is therefore not unlikely that grey seals could also colonize the archipelago especially with the current warming and decrease of sea ice in the region. This species could contribute to the borealization of the Arctic region of the Barents Sea in a manner similar to what is already observed in fish communities. Such module connecting generalist species may decrease the modularity of the Arctic food web, as has been shown for Atlantic cod and haddock (Kortsch et al., 2015).

Due to similarities in direct trophic links and the degree of centrality of prey species, some marine mammals consistently grouped together and also showed similarities with seabirds and some predatory fish, indicating some potential redundancy across different functional groups.

Although topological redundancy does not necessarily imply functional redundancy (Chalcraft and Resetarits, 2003), high topological redundancy is linked to higher robustness of a system (Walker et al., 1999), as the loss of some species might be compensated by the presence of others (Staniczenko et al., 2010; Lai et al., 2012). Indeed, simulations have shown that food webs are more robust when they have a high number of "overlap species" that can compensate species loss by rewiring thus avoiding secondary extinctions (Staniczenko et al., 2010).

Similarities in topological position does not automatically imply dietary overlap. The degree of diet overlap between marine mammals species is extremely varied ranging from no overlap at all (polar bear and blue whale) to very high overlap (humpback and fin whales). Several mechanisms might decrease the competitive pressure, for example, the dietary niche breadth and the habitat selectivity of each species. Fin, minke and humpback whales have broader dietary niches than the blue and bowhead whales, which would allow the former species to shift to other prey items. Bowhead whales overlap most in diet with fin whales but choose waters with high sea ice concentration that are avoided by other whales (Wiig et al., 2010; Reeves et al., 2014), thus decreasing the competitive pressure. Additional prey selection mechanisms may also decrease the competitive pressure by each species targeting different sizes of the same prey species as it is the case for some pinnipeds (Wathne et al., 2000; Preez et al., 2017). Potential for dietary competition is high within the pinnipeds with the exception of the walrus. The ringed, harp and hooded seals are very similar topologically (Wathne et al., 2000) and all of them also share a strong affiliation with sea ice. However, harp and hooded seal use areas beyond the borders of the Barents Sea, which offers larger foraging areas whereas the ringed seal largely stays within its boundaries and forages in iceassociated areas (Hamilton et al., 2015; Vacquie-Garcia et al., 2017; Blanchet et al., 2018). Competitive pressure can also decrease if one of the species is able to undertake niche shift
due to behavioural plasticity. This has recently been shown for beluga whales and ringed seals in the Svalbard archipelago. These species have high dietary and spatial overlap. However, beluga whales do not use glacier fronts as heavily as in the past and their behaviour is consistent with foraging on Atlantic fish species that are new in the region (Hamilton et al., 2019). Two of the three "super predators", the polar bear and the killer whale have a high dietary overlap with the diet of the polar bear being completely included within the killer whale's. However, they have very different habitat use strategies, the polar bear using solid land or ice platforms for foraging while the killer whale forages mainly at sea. There is a potential for competition at the marginal ice zone where both species might co-occur, but polar bear has access to other terrestrial food sources that are not included in our analyses (Iversen et al., 2013).

For the purpose of this study, we have considered that all the species present in the Barents Sea occupy this environment homogenously. Yet, some species have strict habitat preferences and some of these potentially redundant species may not co-occur spatially. For example, the sperm whale and the narwhal have very similar topological positions and occupy the same module, although their diet does not overlap. They are, however, unlikely to interact because they occupy different regions of the Barents Sea, the narwhal being a strictly Arctic species whereas the sperm whale is found in the southern part of the Barents Sea and along the shelf edge (Christensen et al., 1992). A similar relation is observed between the whitebeaked dolphin a pelagic species, and the beluga, a coastal/ice-associated species. These species may thus perform the same role in the ecosystem but in different regions of the Barents Sea, and may therefore not be topologically redundant at the regional level. This shows that the spatial distribution of each species must be considered when exploring potential functional or network redundancy and competition. This is especially true considering the rapid and extensive environmental changes currently occurring in the Barents

Sea (Kovacs et al., 2011) which might bring previously spatially separated species closer together and modify the structure of regional food webs as has been shown for fish communities (Kortsch et al., 2015, 2018; Frainer et al., 2017)

## Conclusions:

In the Barents Sea, marine mammals contribute to the modularity of the food web, connect several energy channels, and have direct links to the most central species. Interspecific differences in the food web-related properties of marine mammals suggest a diversity of contributions to the structure of the food web and its robustness to perturbations. Topological similarities suggesting redundancy are apparent between and within some phylogenetic groups. However, the importance of redundancy likely depends on whether these similar species actually overlap spatially or are segregated between Arctic and Atlantic domains. Climate-induced changes in species distributions currently observed in the Barents Sea are likely to affect the structure of regional food webs as species assemblages change.

## Acknowledgements

MAB is supported by the European Union project ClimeFish (http://climefish.eu/) under the Horizon 2020 research and innovation programme (Grant agreement No. 677039).

## References:

Allesina, S., and Pascual, M. 2008. Network structure, predator-prey modules, and stability in large food webs. Theoretical Ecology, 1: 55-64.

Allesina, S., and Pascual, M. 2009. Googling Food Webs: Can an Eigenvector Measure Species' Importance for Coextinctions? PLOS Computational Biology, 5: 1-6. Public Library of Science.

Ashtiani, M. 2019. CINNA: Deciphering Central Informative Nodes in Network Analysis. Bascompte, J., Melián, C. J., and Sala, E. 2005. Interaction strength combinations and the overfishing of a marine food web. Proceedings of the National Academy of Sciences of
the United States of America, 102: 5443 LP-5447.
Baum, J. K., and Worm, B. 2009. Cascading top-down effects of changing oceanic predator abundances. Journal of Animal Ecology, 78: 699-714. Wiley/Blackwell (10.1111).

Blanchet, M.-A., Lydersen, C., Ims, R. A., Lowther, A. D., and Kovacs, K. M. 2014. Harbour seal Phoca vitulina movement patterns in the high-arctic archipelago of Svalbard, Norway. Aquatic Biology, 21.

Blanchet, M., Acquarone, M., Biuw, M., Larsen, R., Nordøy, E. S., and Folkow, L. P. 2018. A Life After Research? First Release of Harp Seals (Pagophilus groenlandicus ) After Temporary Captivity for Scientific Purposes, 44: 343-356.

Bluhm, B. A., and Gradinger, R. 2008. Regional variability in food availability for Arctic marine mammals. Ecological Applications, 18: S77-S96. Wiley-Blackwell.

Bogstad, B., Gjøsæter, H., Haug, T., and Lindstrøm, U. 2015. A review of the battle for food in the Barents Sea: cod vs. marine mammals .

Borgatti, S. P., and Everett, M. G. 1993. Two algorithms for computing regular equivalence. Social Networks, 15: 361-376.

Bowen, W. D. 1997. Role of marine mammals in aquatic ecosystems. Marine Ecology Progress Series, 158: 267-274.

Brin, S., and Page, L. 1998. The anatomy of a large-scale hypertextual Web search engine. Computer Networks and ISDN Systems, 30: 107-117.

Bundy, A., and Fanning, L. P. 2005. Can Atlantic cod (Gadus morhua) recover? Exploring trophic explanations for the non-recovery of the cod stock on the eastern Scotian Shelf, Canada. Canadian Journal of Fisheries and Aquatic Sciences, 62: 1474-1489. NRC Research Press.

Butts, C. T. 2008. network: A Package for Managing Relational Data in R. Journal of Statistical Software; Vol 1, Issue 2 (2008) .

Carstensen, D. W., Dalsgaard, B., Svenning, J.-C., Rahbek, C., Fjeldså, J., Sutherland, W. J., and Olesen, J. M. 2012. Biogeographical modules and island roles: a comparison of Wallacea and the West Indies. Journal of Biogeography, 39: 739-749. https://doi.org/10.1111/j.1365-2699.2011.02628.x.

Chalcraft, D. R., and Resetarits, W. J. 2003. Predator identity and ecological impacts: functional redundancy or functional diversity? Ecology, 84: 2407-2418. WileyBlackwell.

Christensen, I., Haug, T., and Øien, N. 1992. A review of feeding and reproduction in large baleen whales (Mysticeti) and sperm whales Physeter macrocephalus in Norwegian and adjacent waters. ICES Journal of Marine Science, 49: 341-355.

Christensen, V., and Pauly, D. 1992. ECOPATH II - a software for balancing steady-state ecosystem models and calculating network characteristics. Ecological Modelling, 61: 169-185.

Clarke, K. R., and Warwick, R. M. 1998. Quantifying structural redundancy in ecological communities. Oecologia, 113: 278-289.

Clauset, A., Newman, M. E. J., and Moore, C. 2004. Finding community structure in very large networks. Physical Review E, 70: 66111. American Physical Society. https://link.aps.org/doi/10.1103/PhysRevE.70.066111.

Csardi, G., and Nepusz, T. 2006. The igraph software package for complex network research. InterJournal, Complex Systems: 1965. http://igraph.org.

Dalpadado, P., Ingvaldsen, R. B., Stige, L. C., Bogstad, B., Knutsen, T., Ottersen, G., and Ellertsen, B. 2012. Climate effects on Barents Sea ecosystem dynamics. ICES Journal of Marine Science, 69: 1303-1316.

Dalpadado, P., Arrigo, K. R., Hjøllo, S. S., Rey, F., Ingvaldsen, R. B., Sperfeld, E., Van Dijken, G. L., et al. 2014. Productivity in the Barents Sea - Response to recent climate
variability. PLoS ONE, 9.
David, C., M., de R. A., and Lennart, P. 2004. Population dynamic theory of size-dependent cannibalism. Proceedings of the Royal Society of London. Series B: Biological Sciences, 271: 333-340. Royal Society.
de Santana, C., Rozenfeld, A., and Marquet, P. 2013. Topological properties of polar food webs. Marine Ecology Progress Series, 474: 15-26. https://www.int-res.com/abstracts/meps/v474/p15-26/.

Dunne, J., Williams, R., and Martinez, N. 2002a. Network structure and biodiversity loss in food webs: robustness increases with connectance. Ecology Letters, 5: 558-567. https://onlinelibrary.wiley.com/doi/abs/10.1046/j.1461-0248.2002.00354.x.

Dunne, J. A., Williams, R. J., and Martinez, N. D. 2002b. Food-web structure and network theory: The role of connectance and size. Proceedings of the National Academy of Sciences, 99: 12917 LP-12922.

Dunne, J. A., and Williams, R. J. 2004. Network structure and robustness of marine food webs . Marine Ecology Progress Series, 273: 291-302.

Dunne, J. A. 2009. Food webs. In Complex networks and graph theory section of the encyclopedia of complexity and systems science, pp. 3661-3682. Ed. by R. A. Meyers. Springer.

Durant, J. M., Skern-Mauritzen, M., Krasnov, Y. V., Nikolaeva, N. G., Lindstrøm, U., and Dolgov, A. 2014. Temporal dynamics of top predators interactions in the barents sea. PLoS ONE, 9.

Eero, M., MacKenzie, B. R., Köster, F. W., and Gislason, H. 2011. Multi-decadal responses of a cod (Gadus morhua) population to human-induced trophic changes, fishing, and climate. Ecological Applications, 21: 214-226. John Wiley \& Sons, Ltd.

Eriksen, E., Skjoldal, H. R., Gjøsæter, H., and Primicerio, R. 2017. Spatial and temporal
changes in the Barents Sea pelagic compartment during the recent warming. Progress in Oceanography, 151: 206-226.

Estes, J. A., Doak, D. F., Springer, A. M., and Williams, T. M. 2009. Causes and consequences of marine mammal population declines in southwest Alaska: a food-web perspective. Philosophical Transactions of the Royal Society B: Biological Sciences, 364: 1647-1658.

Estrada, E. 2007. Food webs robustness to biodiversity loss: The roles of connectance, expansibility and degree distribution. Journal of Theoretical Biology, 244: 296-307.

Ferguson, S. H., Higdon, J. W., and Chmelnitsky, E. W. 2012. The Rise of Killer Whales as a Major Arctic Predator. In A Little Less Arctic. Ed. by S. H. Ferguson, L. L. Loseto, and M. L. Mallory.

Fossheim, M., Primicerio, R., Johannesen, E., Ingvaldsen, R. B., Aschan, M. M., and Dolgov, A. V. 2015. Recent warming leads to a rapid borealization of fish communities in the Arctic. Nature Climate Change, 5: 673. Nature Publishing Group.

Frainer, A., Primicerio, R., Kortsch, S., Aune, M., Dolgov, A. V, Fossheim, M., and Aschan, M. M. 2017. Climate-driven changes in functional biogeography of Arctic marine fish communities. Proceedings of the National Academy of Sciences, 114: 12202 LP-12207.

Frank, K. T., Petrie, B., Choi, J. S., and Leggett, W. C. 2005. Trophic Cascades in a Formerly Cod-Dominated Ecosystem. Science, 308: 1621 LP-1623.

Frid, A., G. Baker, G., and M. Dill, L. 2007a. Do shark declines create fear-released systems? Oikos, 117: 191-201.

Frid, A., Dill, L. M., Thorne, R. E., and Blundell, G. M. 2007b. Inferring prey perception of relative danger in large-scale marine systems. Evolutionary Ecology Research, 9: 635649.

Gilg, O., and W. Born, E. 2005. Recent sightings of the bowhead whale (Balaena mysticetus)
in Northeast Greenland and the Greenland Sea. Polar Biology, 28: 796-801.
Gjøsæter, H. 2009. Commercial fisheries (fish, seafood and marine mammals). In Ecosystem Barents Sea, Tapir Pres, p. 587.

Gross, T., Rudolf, L., Levin, S. A., and Dieckmann, U. 2009. Generalized Models Reveal Stabilizing Factors in Food Webs. Science, 325: 747 LP-750.

Guimerà, R., and Nunes Amaral, L. A. 2005. Functional cartography of complex metabolic networks. Nature, 433: 895. Macmillian Magazines Ltd.

Hacquebord, L. 2001. Three Centuries of Whaling and Walrus Hunting in Svalbard and its Impact on the Arctic Ecosystem. Environment and History, 7: 169-185.

Hamilton, C. D., Lydersen, C., Ims, R. A., and Kovacs, K. M. 2015. Predictions replaced by facts: a keystone species\&\#039; behavioural responses to declining arctic sea-ice. Biology Letters, 11.

Hamilton, C. D., Vacquié-Garcia, J., Kovacs, K. M., Ims, R. A., Kohler, J., and Lydersen, C. 2019. Contrasting changes in space use induced by climate change in two Arctic marine mammal species. Biology Letters, 15: 20180834. Royal Society.

Hammerschlag, N., Schmitz, O. J., Flecker, A. S., Lafferty, K. D., Sih, A., Atwood, T. B., Gallagher, A. J., et al. 2019. Ecosystem Function and Services of Aquatic Predators in the Anthropocene. Trends in Ecology \& Evolution, 34: 369-383.

Haug, T., Falk-Petersen, S., Greenacre, M., Hop, H., Lindstrøm, U., Meier, S., Nilssen, K. T., et al. 2017. Trophic level and fatty acids in harp seals compared with common minke whales in the Barents Sea. Marine Biology Research, 1000: 1-14.

Heithaus, M. R., Frid, A., Wirsing, A. J., and Worm, B. 2008. Predicting ecological consequences of marine top predator declines. Trends in Ecology \& Evolution, 23: 202210.

Heymans, J. J., Coll, M., Libralato, S., Morissette, L., and Christensen, V. 2014. Global

Patterns in Ecological Indicators of Marine Food Webs: A Modelling Approach. PLOS ONE, 9: e95845. Public Library of Science.

Higdon, J. W., Hauser, D. D. W., and Ferguson, S. H. 2012. Killer whales (Orcinus orca) in the Canadian Arctic: Distribution, prey items, group sizes, and seasonality. Marine Mammal Science, 28: E93-E109. http://doi.wiley.com/10.1111/j.17487692.2011.00489.x (Accessed 14 December 2017).

ICES. 2014. Report of the ICES Advisory Committee 2014. Book 3: The Barents Sea and the Norwegian Sea. 90 pp.

Ings, T. C., Montoya, J., Bascompte, J., Blüthgen, N., Brown, L., Dormann, C., Edwards, F., et al. 2008. Review: Ecological networks - beyond food webs. Journal of Animal Ecology, 78: 253-269. Wiley/Blackwell (10.1111). https://doi.org/10.1111/j.13652656.2008.01460.x.

Iversen, M., Aars, J., Haug, T., Alsos, I. G., Lydersen, C., Bachmann, L., and Kovacs, K. M. 2013. The diet of polar bears (Ursus maritimus) from Svalbard, Norway, inferred from scat analysis. Polar Biology, 36: 561-571.

Johannesen, E., Jørgensen, L. L., Fossheim, M., Primicerio, R., Greenacre, M., Ljubin, P. A., Dolgov, A. V, et al. 2017. Large-scale patterns in community structure of benthos and fish in the Barents Sea. Polar Biology, 40: 237-246.

Jordán, F., Liu, W., and Davis, A. J. 2006. Topological keystone species: measures of positional importance in food webs. Oikos, 112: 535-546. Wiley/Blackwell (10.1111). https://doi.org/10.1111/j.0030-1299.2006.13724.x.

Jordán, F. 2009. Keystone species and food webs. Philosophical Transactions of the Royal Society B: Biological Sciences, 364: 1733 LP-1741.

Kones, J. K., Soetaert, K., van Oevelen, D., and Owino, J. O. 2009. Are network indices robust indicators of food web functioning? A Monte Carlo approach. Ecological

Modelling, 220: 370-382. Elsevier.
https://www.sciencedirect.com/science/article/pii/S0304380008005024 (Accessed 20 June 2018).

Kortsch, S., Primicerio, R., Fossheim, M., Dolgov, A. V, and Aschan, M. 2015. Climate change alters the structure of arctic marine food webs due to poleward shifts of boreal generalists. Proceedings of the Royal Society B: Biological Sciences, 282.

Kortsch, S., Primicerio, R., Aschan, M., Lind, S., Dolgov, A. V, and Planque, B. 2018. Foodweb structure varies along environmental gradients in a high-latitude marine ecosystem. Ecography, 0. Wiley/Blackwell (10.1111).

Kougioumoutzis, K., Simaiakis, S. M., and Tiniakou, A. 2014. Network biogeographical analysis of the central Aegean archipelago. Journal of Biogeography, 41: 1848-1858. https://doi.org/10.1111/jbi. 12342.

Kovacs, K. M., Lydersen, C., Overland, J. E., and Moore, S. E. 2011. Impacts of changing sea-ice conditions on Arctic marine mammals. Marine Biodiversity, 41: 181-194.

Lai, S.-M., Liu, W.-C., and Jordan, F. 2012. On the centrality and uniqueness of species from the network perspective. Biology Letters, 8: 570-573. http://rsbl.royalsocietypublishing.org/cgi/doi/10.1098/rsbl.2011.1167.

Laidre, K. L., and Regehr, E. V. 2017. C H A P T E R 21 Arctic marine mammals and sea ice: 516-533.

Lau, M. K., Borrett, S. R., Baiser, B., Gotelli, N. J., and Ellison, A. M. 2017. Ecological network metrics: opportunities for synthesis. Ecosphere, 8: e01900. Wiley-Blackwell.

Leclerc, L.-M. E., Lydersen, C., Haug, T., Bachmann, L., Fisk, A. T., and Kovacs, K. M. 2012. A missing piece in the Arctic food web puzzle? Stomach contents of Greenland sharks sampled in Svalbard, Norway. Polar Biology, 35: 1197-1208.

Lindstrøm, U., Smout, S., Howell, D., and Bogstad, B. 2009. Modelling multi-species
interactions in the Barents Sea ecosystem with special emphasis on minke whales and their interactions with cod, herring and capelin. Deep Sea Research Part II: Topical Studies in Oceanography, 56: 2068-2079.

Link, J. 2002. Does food web theory work for marine ecosystems? Marine Ecology Progress Series, 230: 1-9.

Luczovich, J. L., Borgatti, S. P., Johnson, J. C., and Everett, M. G. 2003. Defining and Measuring Trophic Role Similarity in Food Webs Using Regular Equivalence. Journal of Theoretical Biology, 220: 303-321.

Lydersen, C., and Kovacs, K. M. 2005. Growth and population parameters of the world's northernmost harbour seals Phoca vitulina residing in Svalbard, Norway. Polar Biology, 28: 156-163. https://doi.org/10.1007/s00300-004-0656-7.

Mackinson, S., Blanchard, J. L., Pinnegar, J. K., and Scott, R. 2006. Consequences of alternative functional response formulations in models exploring whale-fishery interactions. Marine Mammal Science, 19: 661-681. Wiley/Blackwell (10.1111).

Misund, O. A., Heggland, K., Skogseth, R., Falck, E., Gjøsæter, H., Sundet, J., Watne, J., et al. 2016. Norwegian fisheries in the Svalbard zone since 1980. Regulations, profitability and warming waters affect landings. Polar Science, 10: 312-322.

Moore, S. E. 2008. Marine Mammals as Ecosystem Sentinels. Journal of Mammalogy, 89: 534-540.

Morissette, L., Christensen, V., and Pauly, D. 2012. Marine Mammal Impacts in Exploited Ecosystems: Would Large Scale Culling Benefit Fisheries? PLOS ONE, 7: e43966. Public Library of Science.

Neutel, A.-M., Heesterbeek, J. A. P., van de Koppel, J., Hoenderboom, G., Vos, A., Kaldeway, C., Berendse, F., et al. 2007. Reconciling complexity with stability in naturally assembling food webs. Nature, 449: 599. Nature Publishing Group.

Newman, M. E. J. 2006. Modularity and community structure in networks. Proceedings of the National Academy of Sciences, 103: 8577 LP-8582. http://www.pnas.org/content/103/23/8577.abstract.

Odum, H. T. 1983. Systems ecology; An introduction. John Wiley and Sons,New York, NY, United States.

Olesen, J. M., Bascompte, J., Dupont, Y. L., and Jordano, P. 2007. The modularity of pollination networks. Proceedings of the National Academy of Sciences, 104: 1989119896.

Olivier, P., and Planque, B. 2017. Complexity and structural properties of food webs in the Barents Sea. Oikos, 126: 1339-1346. Wiley/Blackwell (10.1111).

Oziel, L., Neukermans, G., Ardyna, M., Lancelot, C., Tison, J.-L., Wassmann, P., Sirven, J., et al. 2017. Role for Atlantic inflows and sea ice loss on shifting phytoplankton blooms in the Barents Sea. Journal of Geophysical Research: Oceans, 122: 5121-5139. John Wiley \& Sons, Ltd.

Pianka, E. R. 1974. Niche Overlap and Diffuse Competition. Proceedings of the National Academy of Sciences, 71: 2141 LP-2145.

Pimm, S. L., Lawton, J. H., and Cohen, J. E. 1991. Food web patterns and their consequences. Nature, 350: 669. Nature Publishing Group. http://dx.doi.org/10.1038/350669a0.

Planque, B., Primicerio, R., Michalsen, K., Aschan, M., Certain, G., Dalpadado, P., Gjøsæater, H., et al. 2014. Who eats whom in the Barents Sea: a food web topology from plankton to whales. Ecology, 95: 1430. Wiley-Blackwell.

Pons, P., and Latapy, M. 2006. Computing communities in large networks using random walks. Journal of Graph Algorithms and Applications, 10: 191-218.

Preez, B., Purdon, J., Trethowan, P., Macdonald, D. W., and Loveridge, A. J. 2017. Dietary niche differentiation facilitates coexistence of two large carnivores. Journal of Zoology,

302: 149-156. Wiley/Blackwell (10.1111).
Reeves, R. R., Ewins, P. J., Agbayani, S., Heide-Jørgensen, M. P., Kovacs, K. M., Lydersen, C., Suydam, R., et al. 2014. Distribution of endemic cetaceans in relation to hydrocarbon development and commercial shipping in a warming Arctic. Marine Policy, 44: 375-389.

Ripple, W. J., Estes, J. A., Schmitz, O. J., Constant, V., Kaylor, M. J., Lenz, A., Motley, J. L., et al. 2016. What is a Trophic Cascade? Trends in Ecology \& Evolution, 31: 842-849.

Roman, J., Estes, J. A., Morissette, L., Smith, C., Costa, D., McCarthy, J., Nation, J. B., et al. 2014. Whales as marine ecosystem engineers. Frontiers in Ecology and the Environment, 12: 377-385. Wiley-Blackwell.

Romanuk, T. N., Zhou, Y., Valdovinos, F. S., and Martinez, N. D. 2017. Chapter Five Robustness Trade-Offs in Model Food Webs: Invasion Probability Decreases While Invasion Consequences Increase With Connectance. In Networks of Invasion: A Synthesis of Concepts, pp. 263-291. Ed. by D. A. Bohan, A. J. Dumbrell, and F. B. T.A. in E. R. Massol. Academic Press.

Rooney, N., McCann, K., Gellner, G., and Moore, J. C. 2006. Structural asymmetry and the stability of diverse food webs. Nature, 442: 265. Nature Publishing Group.

Rosing-Asvid, A., Teilmann, J., Dietz, R., and Olsen, M. 2010. First Confirmed Record of Grey Seals in Greenland. Arctic, 63.

Shimodaira, H. 2004. Approximately unbiased tests of regions using multistep-multiscale bootstrap resampling. Ann. Statist., 32: 2616-2641. The Institute of Mathematical Statistics.

Skern-Mauritzen, M., Johannesen, E., Bjørge, A., and Øien, N. 2011. Baleen whale distributions and prey associations in the Barents Sea. Marine Ecology Progress Series, 426: 289-301.

Spitz, J., Rousseau, Y., and Ridoux, V. 2006. Diet overlap between harbour porpoise and
bottlenose dolphin: An argument in favour of interference competition for food? Estuarine, Coastal and Shelf Science, 70: 259-270.

Springer, A. M., Estes, J. A., van Vliet, G. B., Williams, T. M., Doak, D. F., Danner, E. M., Forney, K. A., et al. 2003. Sequential megafaunal collapse in the North Pacific Ocean: An ongoing legacy of industrial whaling? Proceedings of the National Academy of Sciences, 100: 12223 LP-12228.

Staniczenko, P. P. A., Lewis, O. T., Jones, N. S., and Reed-Tsochas, F. 2010. Structural dynamics and robustness of food webs. Ecology Letters, 13: 891-899. John Wiley \& Sons, Ltd (10.1111).

Stouffer, D. B., and Bascompte, J. 2011. Compartmentalization increases food-web persistence. Proceedings of the National Academy of Sciences, 108: 3648 LP-3652.

Suzuki, R., and Shimodaira, H. 2006. Pvclust: an R package for assessing the uncertainty in hierarchical clustering. Bioinformatics, 22: 1540-1542.

Thompson, R. M., Hemberg, M., Starzomski, B. M., and Shurin, J. B. 2007. Trophic levels and trophic tangles: the prevalence of omnivory in real food webs. Ecology, 88: 612617.

Tjelmeland, S., and Bogstad, B. 1998. MULTSPEC - a review of a multispecies modelling project for the Barents Sea. Fisheries Research, 37: 127-142.

Torre, G., Fernández-Lugo, S., Guarino, R., and Fernández-Palacios, J. M. 2019. Network analysis by simulated annealing of taxa and islands of Macaronesia (North Atlantic Ocean). Ecography, 42: 768-779. https://doi.org/10.1111/ecog.03909.

Trites, A. W., Miller, A. J., Maschner, H. D. G., Alexander, M. A., Bograd, S. J., Calder, J. A., Capodonti, A., et al. 2006. Bottom-up forcing and the decline of Steller sea lions (Eumetopias jubatus) in Alaska: assessing the ocean climate hypothesis. Fisheries Oceanography, 16: 46-67. John Wiley \& Sons, Ltd.

Vacquie-Garcia, J., Lydersen, C., Biuw, M., Haug, T., Fedak, M. A., and Kovacs, K. M. 2017. Hooded seal Cystophora cristata foraging areas in the Northeast Atlantic OceanInvestigated using three complementary methods. PLOS ONE, 12: e0187889. Public Library of Science. http://dx.plos.org/10.1371/journal.pone. 0187889 (Accessed 15 December 2017).

Wade, P. R., Burkanov, V. N., Dahlheim, M. E., Friday, N. A., Fritz, L. W., Loughlin, T. R., Mizroch, S. A., et al. 2007. Killer whales and marine mammal trends in the North Pacific - a re-examination of the evidence for sequential megafauna collapse and the preyswitching hypothesis. Marine Mammal Science, 23: 766-802.

Walker, B., Kinzig, A., and Langridge, J. 1999. Original Articles: Plant Attribute Diversity, Resilience, and Ecosystem Function: The Nature and Significance of Dominant and Minor Species. Ecosystems, 2: 95-113.

Wasserman, S., and Faust, K. 1994. Social Network Analysis: Methods and applications. 663 pp.

Wathne, J. A., Haug, T., and Lydersen, C. 2000. Prey preference and niche overlap of ringed seals Phoca hispida and harp seals P. groenlandica in the Barents Sea. Marine Ecology Progress Series, 194: 233-239. Inter-Research Science Center. http://www.jstor.org/stable/24855667.

Wiig, Ø., Bachmann, L., Øien, N., Kovacs, K. M., and Lydersen, C. 2010. Observations of bowhead whales (Balaena mysticetus) in the Svalbard area 1940--2009. Polar Biology, 33: 979-984.

Williams, R. J., Berlow, E. L., Dunne, J. A., Barabási, A.-L., and Martinez, N. D. 2002. Two degrees of separation in complex food webs. Proceedings of the National Academy of Sciences, 99: 12913 LP-12916.

Worm, B., and Paine, R. T. 2016. Humans as a Hyperkeystone Species. Trends in Ecology \&

Figure 1: (a) Food web of the Barents Sea. Circles represent single species or trophospecies coloured by their ecological group (plankton, benthic invertebrates, fish, seabirds or marine mammals) and the circle size is proportional to the number of direct predator and prey links. The grey circle represent detritus. Each line represents a feeding link between two species. Species are plotted according to their trophic positioning (y axis) and their module affiliation ( x axis). (b-c) The coloured barplots represent the number of prey items consumed by marine mammals in module A and D per ecological group. The overlaid black barplots represent the number of preys consumed by these marine mammal species within the module they belong to. The list of marine mammals present in modules A and D is shown in the two side inserts. Abbreviations for each marine mammal's species is available in table S1.


Figure 2: Observed and fitted values of cumulative distribution function of degree (in-degree + out-degree) for each species in the Barents Sea food web. The cumulative distribution function represents the probability of a species having at least a number of degree $=x$ (ranging from 1 to 142). The red curve shows the predictions for the best-fitted model (exponential). Each coloured dot represents a species colour-coded by its ecological groups (plankton, benthic invertebrates, fish, birds, mammals). In addition, marine mammals' species are plotted by phylogenetic groups (mysticetes $=\boldsymbol{\square}$, pinnipeds $=\boldsymbol{\Delta}$, odontocetes $=\boldsymbol{\downarrow}$, Ursidae $=\boldsymbol{\nabla}$ ) below the red curve. Therefore each marine mammal's species is represented by one black symbol and by one red dot. Note that all the data points are jittered horizontally to improve readability and that the true degree values are located on the red curve.


Figure 3: a) Principal component analysis (PCA) of the species or trophospecies present in the Barents Sea food web and characterized by 15 centrality measures. The five ecological groups (plankton, benthic invertebrates, fish, birds and marine mammals)are colour-coded. The 19 marine mammal species are plotted in larger red circles. The diamonds ( $\downarrow$ ) represent the centroid for each ecological group. b) Separate representation of the PCA space focusing on marine mammal species (located inside the black rectangle in a)). Each species is colour coded according to their phylogenetic group (mysticetes=blue, pinnipeds=green, odontocetes=pink, Ursidae=brown). For the abbreviation of the species' names, see table S1.


Figure 4: Module affiliation of marine mammal prey species included in modules A and D. Barplots representing the number of feeding links between marine mammals in module A $(\mathrm{n}=5)$ and the species in modules A, B, C and D (a) through d)). The black barplots represent the number of preys consumed by marine mammals inside a module while the coloured barplots represent the composition of the modules essentially showing the proportion of a group consumed by marine mammals within each module. The proportion of realized links between marine mammals and their prey from one module to another is shown on the right side of each individual plot. For example marine mammals in module A have $84 \%$ of their feeding links with species present in module A. e) through h) show the same representation for marine mammals present in module $\mathrm{D}(\mathrm{n}=14)$. Marine mammals present in modules A and D are listed in the two side inserts. Abbreviations for each marine mammal species is available in table S1.


Figure 5: Topological role of marine mammal with respect to modularity. The x axis represents the among module connectivity ( PC ) and the $y$-axis represents the within module degree ( z ). The $\mathrm{PC}-\mathrm{z}$ space is split in four different regions yielding four functionalities in the network: peripheral, module hub, network connector and module connector. Each species is represented by a square colour-coded by ecological group (green=plankton, orange=benthic invertebrate, blue=fish, pink=birds). Each species of marine mammals is represented by a circle colour-coded by their phylogenetic group (mysticetes $=$ blue, pinnipeds $=$ green, odontocetes $=\mathrm{p}$ ink, Ursidae $=$ brown).


Fig 6: Results of hierarchical clustering of marine mammals species with uncertainty analysis (p-values in red) obtained via multiscale bootstrap resampling for four similarity measures a) diet overlap, b) Jaccard index, c) regular equivalence and d) on the Euclidian distance of the centrality measures. Clusters with a p-value greater than $95 \%$ are strongly supported by the data and highlighted by the red rectangles. The species' name abbreviations are color-coded by phylogenetic group (blue= mysticetes, green $=$ pinnipeds, pink=odontocetes, brown= Ursidae).


Figure S1: Functional similarity between each pairs of marine mammals based on four similarity measures presented as heatmaps. The first two maps focus local view considering only the direct links while the two last ones take into account the entire network. a) diet overlap between each pairs of marine mammals. The overlap is expressed as a percentage of the diet of species in the column included within the diet of the species in the row. The warmer the colour, the greater the overlap. Note that the matrix is not symmetrical and that
the diagonal represents the overlap of the diet of between a species and itself and is therefore $100 \%$. b) Jaccard index defined as the ratio of shared prey and predators over the total of preys and predators of the two species. The warmer the colour, the greater the overlap. Note that the matrix is symmetrical and that the maximum of the index is 0.5 representing the overlap between a species and itself. c) Regular equivalence representing the similarity between pairs of species based on their position inside the food web based on their preys and predators. Note that the matrix is symmetrical and that the maximum of the index is 5 representing the regular equivalence between a species and itself. d) Euclidian distances of network-related centrality metrics between pairs of species. Note that the matrix is symmetrical. The species' name abbreviations are color-coded by phylogenetic groups (blue= mysticetes, green $=$ pinnipeds, pink=odontocetes, brown= Ursidae $)$.


|  | Metric | Definition | Reference |
| :--- | :--- | :--- | :--- |
| Node <br> Definitions | Basal species | Species with no prey <br>  <br> Omnivore species | Species feeding at more than one <br> trophic level <br> Species with at least one prey species | | Pimm et al., 1991 |
| :--- |
|  |
|  |
| Predator species al., 1991 |


| Prey species | Species with at least one predator <br> species |
| :--- | :--- |
| Intermediate species | Species with at least one prey and one <br> predator species |
| Cannibal species | Species feeding on themselves |

Pimm et al., 1991

Pimm et al., 1991

Pimm et al., 1991;
Claessen et al., 2004

| Centrality measures |  |  |  |
| :---: | :---: | :---: | :---: |
|  | In-degree | Number of prey species | Wasserman and Fau Dunne et al. 2002 |
|  | Out-degree | Number of predator species | Wasserman and Fau al. 2002 |
|  | Degree | Number of prey and predator species | Wasserman and Fau |
|  | Shortest path length | Shortest path length between each species and a basal species | Thompson et al., 200 |
|  | Longest path length | Longest path length between each species and a basal species | Thompson et al., 200 |
|  | Trophic level based on the shortest paths (SWTL) | Average shortest path lengths weighted by the number of prey species | Williams and Martine |
|  | Trophic level based on the longest paths (LWTL) | Average longest path lengths weighted by the number of prey species | Williams and Martine |
|  | Level of omnivory | Standard deviation of the short weighted trophic levels of each species' prey species | Bascompte et al. 20 <br> al. 2009 |
|  | Eigen vector centrality | Degree weighted by the centrality of each of its prey species | Wasserman and Fau |
|  | Betweenness centrality | Number of time a species lies on the shortest path between a pair of species | Wasserman and Fau |
|  | Information centrality | Number of time a species lies on the all the paths between a pair of species | Wasserman and Fau |
|  | Closeness centrality | Average number of steps away from the other species | Wasserman and Fau |
|  | Google's PageRank | Eigen vector measure calculated using a modified version of the Google'PageRank algorithm | Brine and Page 1998 and Pascual 2009 |
|  | Among module connectivity (PC) | Number of links between a species and species in other modules normalized by its degree | Guimear and Nunez 2005; Kortsch et al. |
|  | Standardized within module connectivity (z) | The number of links between a species and other species in its module standardized by the average and standard deviation of the number of links in its module | Guimear and Nunez 2005; Kortsch et al. |
| Network metrics | Number of species | Total number of species or trophospecies in the food web | Dunne et al. 2002 |
|  | Number of links | Total number of trophic relationships represented in the food web | Dunne et al. 2002 |
|  | Link density | Mean number of trophic relationships per species | Dunne et al. 2002 |


| Connectance | Proportion of direct realized links out of <br> the number of possible links | Dunne et al. 2002 |
| :--- | :--- | :--- |
| Average degree | Average number of trophic <br> relationships per species | Dunne et al. 2002 |
| Average in-degree | Average number of prey links per <br> species | Dunne et al. 2002 |
| Average out-degree | Average number of predation links per <br> species | Dunne et al. 2002 |
| Level of omnivory | Average omnivory level of the species <br> in the food web | Bascompte et al. 200 <br> al. 2009 |
| Average shortest path | Average shortest food chain connecting <br> each pair of species in the food web | Thompson et al. 200 |
| length | Average of all the shortest paths from <br> basal species to each species | Thompson et al. 200 |
| Average trophic level | Proportion of species with at least one | Dunne et al. 2009 |
| Proportion of predators | Prey species | Petchey et al. 2008 |
| Proportion of | Proportion of species feeding at more <br> than one trophic level | Petchey et al. 2008 |
| Proportion of cannibals | Proportion of species feeding on <br> themselves | Proportion of species with no prey <br> species | | Petchey et al. 2008 |
| :--- |
| Proportion of basal |
| species |

Table 2: Food web - related metrics calculated for the 19 species of marine mammals present in the Barents Sea food web.

|  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Group | Abbreviation | degree | out- <br> degree | degree | eigen | between | closeness | information |
| Mysticetes | BAL_MUS | 6 | 0 | 6 | 0,000 | 0,000 | 0,384 | $-0,002$ |
| Mysticetes | BAL_MYS | 23 | 1 | 24 | 0,000 | 6,912 | 0,437 | 0,000 |
| Mysticetes | BAL_PHY | 27 | 0 | 27 | 0,090 | 0,000 | 0,446 | 0,000 |
| Mysticetes | MEG_NOV | 36 | 0 | 36 | 0,073 | 0,000 | 0,473 | 0,001 |
| Mysticetes | BAL_ACU | 34 | 1 | 35 | 0,360 | 6,330 | 0,510 | 0,001 |
| Mean |  | $\mathbf{2 5 , 2}$ | $\mathbf{0 , 4}$ | $\mathbf{2 5 , 6}$ | $\mathbf{0 , 1 0 5}$ | $\mathbf{2 , 6 4 8}$ | $\mathbf{0 , 4 5 0}$ | $\mathbf{0 , 0 0 0}$ |
| Median |  | $\mathbf{2 7}$ | $\mathbf{0}$ | $\mathbf{2 7}$ | $\mathbf{0 , 0 7 3}$ | $\mathbf{0 , 0 0 0}$ | $\mathbf{0 , 4 4 6}$ | $\mathbf{0 , 0 0 0}$ |
| Odontocetes | PHY_MAC | 4 | 0 | 4 | 0,060 | 0,000 | 0,375 | $-0,002$ |
| Odontocetes | DEL_LEU | 5 | 3 | 8 | 0,021 | 2,164 | 0,433 | $-0,001$ |
| Odontocetes | MON_MON | 25 | 0 | 25 | 0,106 | 0,000 | 0,437 | 0,000 |
| Odontocetes | LAG_ALB | 11 | 0 | 11 | 0,242 | 0,000 | 0,463 | 0,000 |
| Odontocetes | ORC_ORC | 18 | 0 | 18 | 0,663 | 0,000 | 0,466 | 0,000 |
| Odontocetes | PHO_PHO | 51 | 2 | 53 | 0,527 | 22,010 | 0,538 | 0,002 |
| Mean |  | $\mathbf{1 9}$ | $\mathbf{0 , 8}$ | $\mathbf{1 9 , 8}$ | $\mathbf{0 , 2 7 0}$ | $\mathbf{4 , 0 2 9}$ | $\mathbf{0 , 4 5 2}$ | $\mathbf{0 , 0 0 0}$ |
| Median |  | $\mathbf{1 4 , 5}$ | $\mathbf{0 , 0}$ | $\mathbf{1 4 , 5}$ | $\mathbf{0 , 1 7 4}$ | $\mathbf{0 , 0 0 0}$ | $\mathbf{0 , 4 5 0}$ | $\mathbf{0 , 0 0 0}$ |
| Pinnipeds | ODO_ROS | 19 | 2 | 21 | 0,098 | 16,768 | 0,453 | 0,000 |
| Pinnipeds | PHO_HIS | 41 | 4 | 45 | 0,224 | 73,848 | 0,516 | 0,002 |
| Pinnipeds | CYS_CRI | 41 | 2 | 43 | 0,329 | 13,425 | 0,517 | 0,001 |
| Pinnipeds | PHO_VIT | 38 | 3 | 41 | 0,270 | 39,018 | 0,517 | 0,001 |
| Pinnipeds | PAG_GRO | 44 | 4 | 48 | 0,257 | 74,758 | 0,517 | 0,001 |
| Pinnipeds | HAL_GRY | 45 | 1 | 46 | 0,381 | 21,613 | 0,525 | 0,002 |
| Pinnipeds | ERI_BAR | 49 | 3 | 52 | 0,172 | 76,061 | 0,531 | 0,003 |


| Mean | $\mathbf{3 9 , 6}$ | $\mathbf{2 , 7}$ | $\mathbf{4 2 , 3}$ | $\mathbf{0 , 2 4 7}$ | $\mathbf{4 5 , 0 7 0}$ | $\mathbf{0 , 5 1 1}$ | $\mathbf{0 , 0 0 2}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Median |  | $\mathbf{4 1 , 0}$ | $\mathbf{3 , 0}$ | $\mathbf{4 5 , 0}$ | $\mathbf{0 , 2 5 7}$ | $\mathbf{3 9 , 0 1 8}$ | $\mathbf{0 , 5 1 7}$ |
| Ursidae | URS_MAR | 8 | 0 | 8 | 0,292 | 0,000 | 0,442 |


| ABBREVIATION | Diet overlap | Jaccard index | Regular equivalence | Centrality distances |
| :---: | :---: | :---: | :---: | :---: |
| ODO_ROS |  |  |  |  |
| CYS_CRI |  |  |  |  |
| ERI_BAR |  |  |  |  |
| PAG_GRO |  |  |  |  |
| PHO_HIS |  |  |  |  |
| HAL_GRY |  |  |  |  |
| PHO_VIT |  |  |  |  |
| URS_MAR |  |  |  |  |
| BAL_ACU |  |  |  |  |
| BAL_PHY |  |  |  |  |
| MEG_NOV |  |  |  |  |
| BAL_MUS |  |  |  |  |
| BAL_MYS |  |  |  |  |
| DEL_LEU |  |  |  |  |
| LAG_ALB |  |  |  |  |
| ORC_ORC |  |  |  |  |
| MON_MON |  |  |  |  |
| PHO_PHO |  |  |  |  |
| PHY_MAC |  |  |  |  |

Table 3: Summary of the results of the hierarchical clustering on four similarity measures. The cells colours indicate which species are grouped together each of the similarity measures. The shaded cells indicate species that were not assigned a group based on the clustering method.

Table S1: Abbreviations and taxonomy of the 19 species of marine mammals included in the Barents Sea food web

| Species | Latin name | Abbreviation | Order | Family |
| :--- | :--- | :--- | :--- | :--- |
| Walrus | Odobenus rosmarus | ODO_ROS | Carnivora | Odobenidae |
| Hooded seal | Cystophora cristata | CYS_CRI | Carnivora | Phocidae |
| Bearded seal | Erignathus barbatus | ERI_BAR | Carnivora | Phocidae |
| Harp seal | Pagophilus groenlandicus | PAG_GRO | Carnivora | Phocidae |
| Ringed seal | Phoca hispida | PHO_HIS | Carnivora | Phocidae |
| Grey seal | Halichoerus grypus | HAL_GRY | Carnivora | Phocidae |
| Harbour seal | Phoca vitulina | PHO_VIT | Carnivora | Phocidae |
| Polar bear | Ursus maritimus | URS_MAR | Carnivora | Ursidae |
| Minke whale | Balaenoptera acutorostrata | BAL_ACU | Cetacea | Balaenopterida |
| Fin whale | Balaenoptera physalus | BAL_PHY | Cetacea | Balaenopterida |


| Humpback whale | Megaptera novaeangliae | MEG_NOV | Cetacea | Balaenopterida |
| :--- | :--- | :--- | :--- | :--- |
| Blue whale | Balenoptera musculus | BAL_MUS | Cetacea | Balaenopterida |
| Bowhead whale | Balaena mysticetus | BAL_MYS | Cetacea | Balaenopterida |
| beluga | Delphinapterus leucas | DEL_LEU | Cetacea | Delphinidae |
| White beaked dolphin | Lagenorhynchus albirostris | LAG_ALB | Cetacea | Delphinidae |
| Killer whale | Orcinus orca | ORC_ORC | Cetacea | Delphinidae |
| Narwhal | Monodon monoceros | MON_MON | Cetacea | Monodontidae |
| Harbour porpoise | Phocoena phocoena | PHO_PHO | Cetacea | Phocoenidae |
| Sperm whale | Physeter macrocephalus | PHY_MAC | Cetacea | Physeteridae |

Table S2: Abbreviations and corresponding species latin names of the 239 species included in the Barents Sea food web. The group correspond to the ecological group (plankton, benthic invertebrate, fish, sea bird, marine mammal).

| TROPHOSPECIES | ABBREVIATION | GROUP |
| :--- | :--- | :--- |
| AUTOTHROPH_FLAGELLAT | AUT_FLA | 1_Plankton |
| SAGITTA_SPP | SAG_SPP | 1_Plankton |
| EUPHYSA_FLAMMEA | EUP_FLAM | 1_Plankton |
| SARSIA_SPP | SAR_SPP | 1_Plankton |
| DIMOPHYES_ARCTICA | DIM_ARC | 1_Plankton |
| AGLANTHA_DIGITALE | AGL_DIG | 1_Plankton |
| EUKROHNIA_HAMATA | EUK_HAM | 1_Plankton |
| CYANEA_CAPILLATA | CYA_CAP | 1_Plankton |
| AURELIA_AURITA | AUR_AUR | 1_Plankton |
| ACARTIA_SPP | ACA_SPP | 1_Plankton |
| CALANUS_FINMARCHICUS | CAL_FIN | 1_Plankton |
| CALANUS_GLACIALIS | CAL_GLA | 1_Plankton |
| CALANUS_HYPERBOREUS | CAL_HYP | 1_Plankton |
| MICROCALANUS_SPP | MIC_SPP | 1_Plankton |
| PSEUDOCALANUS_SPP | PAR_SEPA | 1_Plankton |
| PAREUCHAETA_GLACIALIS | PAR_NOR | 1_Plankton |
| PAREUCHAETA_NORVEGICA | PAR_SPP | 1_Plankton |
| PAREUCHAETA_SPP | MET_LON | 1_Plankton |
| METRIDIA_LONGA | MET_LUC | 1_Plankton |
| METRIDIA_LUCENS | OIT_SPI | 1_Plankton |
| OITHONA_SIMILIS | ONI_GLA | 1_Plankton |
| OITHONA_SPINIROSTRIS/ATLANTICA | OIT_SIM | 1_Plankton |
| ONCAEA_BOREALIS | ONC_BOR | 1_Plankton |
| APHERUSA_GLACIALIS | TPH_GLA | 1_Plankton |
| GAMMARUS_WILKITZKII | THE_LIB | 1_Plankton |
| ONISIMUS_GLACIALIS | ONAB | 1_Plankton |
| ONISIMUS_NANSENI | THEMISTO_ABYSSORUM | THEMISTO_LIBELLULA |


| MEGANYCTIPHANES_NORVEGICA | MEG_NOR | 1_Plankton |
| :---: | :---: | :---: |
| NEMATOSCELIS_MEGALOPS | NEM_MEG | 1_Plankton |
| THYSANOESSA_INERMIS | THY_INE | 1_Plankton |
| THYSANOESSA_LONGICAUDATA | THY_LON | 1_Plankton |
| THYSANOESSA_RASCHII | THY_RAS | 1_Plankton |
| BEROè_SP | BER_SP | 1_Plankton |
| MERTENSIA_OVUM | MER_OVU | 1_Plankton |
| BOLINOPSIS_INFUNDIBULUM | BOL_INF | 1_Plankton |
| DETRITUS | DET_IND | 1_Plankton |
| HETEROTROPH_FLAGELLAT | HET_FLA | 1_Plankton |
| ICE_ALGAE | ICE_ALG | 1_Plankton |
| MACROALGAE | MAC_IND | 1_Plankton |
| DIATOM | DIATOM | 1_Plankton |
| PROTOZOOPLANKTON | PROZOO | 1_Plankton |
| MIXOTROPH_FLAGELLATES | MIX_FLA | 1_Plankton |
| CLIONE_LIMACINA | CLI_LIM | 1_Plankton |
| LIMACINA_HELICINA | LIM_HEL | 1_Plankton |
| LIMACINA_RETROVERSA | LIM_RET | 1_Plankton |
| PHYTOPLANKTON_INDET | PHY_IND | 1_Plankton |
| BACTERIA_INDET | BAC_IND | 1_Plankton |
| FRITILLARIA_BOREALIS | FRI_BOR | 1_Plankton |
| OIKOPLEURA_DIOICA | OIK_DIO | 1_Plankton |
| OIKOPLEURA_SPP | OIK_SPP | 1_Plankton |
| OIKOPLEURA_VANHOEFFENI | OIK_VAN | 1_Plankton |
| PARAMPHINOME_JEFFREYSII | PAR_JEF | 2_Benthos |
| SPIRORBIDAE_INDET | SPI_IND | 2_Benthos |
| LUMBRINERIS_SP | LUM_SP | 2_Benthos |
| HETEROMASTUS_FILIFORMIS | HET_FIL | 2_Benthos |
| EUCLYMENINAE_INDET | EUC_IND | 2_Benthos |
| LUMBRICLYMENE_MINOR | LUM_MIN | 2_Benthos |
| MALDANE_SARSI | MAL_SAR | 2_Benthos |
| POLYCHAETA | POL_IND | 2_Benthos |
| SCALIBREGMA_INFLATUM | SCA_INF | 2_Benthos |
| POLYNOIDAE_INDET | POLY_IND | 2_Benthos |
| AGLAOPHAMUS_MALMGRENI | AGL_MAL | 2_Benthos |
| GALATHOWENIA_SP | GAL_SP | 2_Benthos |
| MYRIOCHELE_HERRI | MYR_HEE | 2_Benthos |
| CHONE_SP | CHO_SP | 2_Benthos |
| SPIOCHAETOPTERUS_TYPICUS | SPI_TYP | 2_Benthos |
| PRIONOSPIO_CIRRIFERA | PRI_CIR | 2_Benthos |
| SPIOPHANES_KROEYERI | SPI_KRO | 2_Benthos |
| APHELOCHAETA_MARIONI | APH_MAR | 2_Benthos |
| CHAETOZONE_SP | CHA_SP | 2_Benthos |
| CIRRATULIDAE_INDET | CIR_IND | 2_Benthos |
| TEREBELLIDES_STROEMI | TER_STRO | 2_Benthos |


| PYCNOGONIDA_G_SP | PYC_G_SP | 2_Benthos |
| :---: | :---: | :---: |
| ELECTRA_ARCTICA | ELE_ARC | 2_Benthos |
| BRYOZOA_INDET | BRY_IND | 2_Benthos |
| ASCIDIACEA_G_SP | ASC_G_SP | 2_Benthos |
| ACTINIARIA_G_SP | ACT_G_SP | 2_Benthos |
| NEPHTHEIDAE_SP | NEP_SP | 2_Benthos |
| HYDROZOA_INDET | HYD_IND | 2_Benthos |
| PARALITHODES_CAMTSCHATICUS | PAR_CAM | 2_Benthos |
| RHACHOTROPIS_SP | RHA_SP | 2_Benthos |
| ARRHIS_PHYLLONYX | ARR_PHY | 2_Benthos |
| GAMMARIDAE_INDET | GAM_IND | 2_Benthos |
| PONTOPHILUS_NORVEGICUS | PON_NOR | 2_Benthos |
| SABINEA_SP | SAB_SP | 2_Benthos |
| SCLEROCRANGON_SP | SCL_SP | 2_Benthos |
| CHIONOECETES_OPILIO | CHI_OPI | 2_Benthos |
| HYAS_SP | HYA_SP | 2_Benthos |
| PAGURUS_SP | PAG_SP | 2_Benthos |
| PANDALUS_BOREALIS | PAN_BOR | 2_Benthos |
| NYCTIPHANES_COUCHII | NYC_COU | 2_Benthos |
| ASELLOTA_INDET | ASE_IND | 2_Benthos |
| ERYTHROPS_SP | ERY_SP | 2_Benthos |
| BALANUS_SP | BAL_SP | 2_Benthos |
| OSTRACODA_INDET | OST_IND | 2_Benthos |
| ASTERIAS_RUBENS | AST_RUB | 2_Benthos |
| URASTERIAS_LINCKII | URA_LIN | 2_Benthos |
| PONTASTER_TENUISPINUS | PON_TEN | 2_Benthos |
| CTENODISCUS_CRISPATUS | CTE_CRI | 2_Benthos |
| CROSSASTER_PAPPOSUS | CRO_PAP | 2_Benthos |
| HELIOMETRA_GLACIALIS | HEL_GLA | 2_Benthos |
| STRONGYLOCENTROTUS_SP | STRO_SP | 2_Benthos |
| STICHOPUS_TREMULUS | STI_TRE | 2_Benthos |
| CUCUMARIA_FRONDOSA | CUC_FRO | 2_Benthos |
| MOLPADIA_BOREALIS | MOL_BOR | 2_Benthos |
| GORGONOCEPHALUS_SP | GOR_SP | 2_Benthos |
| OPHIACANTHA_BIDENTATA | OPH_BID | 2_Benthos |
| OPHIOPHOLIS_ACULEATA | OPH_ACU | 2_Benthos |
| OPHIOSCOLEX_GLACIALIS | OPH_GLA | 2_Benthos |
| OPHIOCTEN_SERICEUM | OPH_SER | 2_Benthos |
| OPHIOPLEURA_BOREALIS | OPH_BOR | 2_Benthos |
| OPHIURA_SP | OPH_SP | 2_Benthos |
| FORAMINIFERA | FOR_IND | 2_Benthos |
| BATHYARCA_GLACIALIS | BAT_GLA | 2_Benthos |
| ASTARTE_SP | AST_SP | 2_Benthos |
| MENDICULA_FERRUGINOSA | MEN_FER | 2_Benthos |
| THYASIRA_GOULDI | THY_GOU | 2_Benthos |


| HIATELLA_ARCTICA | HIA_ARC | 2_Benthos |
| :---: | :---: | :---: |
| MYA_TRUNCATA | MYA_TRU | 2_Benthos |
| YOLDIELLA_SOLIDULA | YOL_SOL | 2_Benthos |
| CHLAMYS_ISLANDICA | CHL_ISL | 2_Benthos |
| SIMILIPECTEN_GREENLANDICUS | SIM_GRE | 2_Benthos |
| MACOMA_SP | MAC_SP | 2_Benthos |
| GONATUS_FABRICII | GON_FAB | 2_Benthos |
| ROSSIA_SP | ROS_SP | 2_Benthos |
| BUCCINUM_SP | BUC_SP | 2_Benthos |
| COLUS_SP | COL_SP | 2_Benthos |
| BENTHOS_LARVAE | BEN_LAR | 2_Benthos |
| GEODIA_SP | GEO_SP | 2_Benthos |
| PORIFERA_G_SP | POR_G_SP | 2_Benthos |
| PHASCOLION_STROMBUS | PHA_STR | 2_Benthos |
| CIONA_INTESTINALIS | CIO_INT | 2_Benthos |
| FISH_LARVAE | FI_LA | 3_Fish |
| ARCTOZENUS_RISSO | ARC_RIS | 3_Fish |
| CLUPEA_HARENGUS | CLU_HAR | 3_Fish |
| ARCTOGADUS_GLACIALIS | ARC_GLA | 3_Fish |
| BOREOGADUS_SAIDA | BOR_SAI | 3_Fish |
| GADICULUS_ARGENTEUS | GAD_ARG | 3_Fish |
| GADUS_MORHUA | GAD_MOR | 3_Fish |
| MELANOGRAMMUS_AEGLEFINUS | MEL_AEG | 3_Fish |
| MERLANGIUS_MERLANGUS | MER_MER | 3_Fish |
| MICROMESISTIUS_POUTASSOU | MIC_POU | 3_Fish |
| POLLACHIUS_POLLACHIUS | POL_POL | 3_Fish |
| POLLACHIUS_VIRENS | POL_VIR | 3_Fish |
| TRISOPTERUS_ESMARKII | TRI_ESM | 3_Fish |
| BROSME_BROSME | BRO_BRO | 3_Fish |
| ENCHELYOPUS_CIMBRIUS | ENC_CIM | 3_Fish |
| GAIDROPSARUS_ARGENTATUS | GAI_ARG | 3_Fish |
| MOLVA_MOLVA | MOL_MOL | 3_Fish |
| MACROURUS_BERGLAX | MAC_BER | 3_Fish |
| GASTEROSTEUS_ACULEATUS | GAS_ACU | 3_Fish |
| BENTHOSEMA_GLACIALE | BEN_GLA | 3_Fish |
| ARGENTINA_SP | ARG_SP | 3_Fish |
| MALLOTUS_VILLOSUS | MAL_VIL | 3_Fish |
| AMMODYTES_SPP | AMM_SPP | 3_Fish |
| ANARHICHAS_DENTICULATUS | ANA_DEN | 3_Fish |
| ANARHICHAS_LUPUS | ANA_LUP | 3_Fish |
| ANARHICHAS_MINOR | ANA_MIN | 3_Fish |
| SCOMBER_SCOMBRUS | SCO_SCO | 3_Fish |
| ANISARCHUS_MEDIUS | ANI_MED | 3_Fish |
| LEPTOCLINUS_MACULATUS | LEP_MAC | 3_Fish |
| LUMPENUS_FABRICII | LUM_FAB | 3_Fish |


| LUMPENUS_LAMPRETAEFORMIS | LUM_LAM | 3_Fish |
| :---: | :---: | :---: |
| GYMNELUS_SPP | GYM_SPP | 3_Fish |
| LYCENCHELYS_KOLTHOFFI | LYC_KOL | 3_Fish |
| LYCODES_ESMARKII | LYC_ESM | 3_Fish |
| LYCODES_EUDIPLEUROSTICTUS | LYC_EUD | 3_Fish |
| LYCODES_GRACILIS | LYC_GRA | 3_Fish |
| LYCODES_PALLIDUS | LYC_PAL | 3_Fish |
| LYCODES_RETICULATUS | LYC_RET | 3_Fish |
| LYCODES_ROSSI | LYC_ROS | 3_Fish |
| LYCODES_SEMINUDUS | LYC_SEM | 3_Fish |
| GLYPTOCEPHALUS_CYNOGLOSSUS | GLY_CYN | 3_Fish |
| HIPPOGLOSSUS_HIPPOGLOSSUS | HIP_HIP | 3_Fish |
| HIPPOGLOSSOIDES_PLATESSOIDES | HIP_PLA | 3_Fish |
| LIMANDA_LIMANDA | LIM_LIM | 3_Fish |
| MICROSTOMUS_KITT | MIC_KIT | 3_Fish |
| PLEURONECTES_PLATESSA | PLE_PLA | 3_Fish |
| REINHARDTIUS_HIPPOGLOSSOIDES | REI_HIP | 3_Fish |
| AGONUS_CATAPHRACTUS | AGO_CAT | 3_Fish |
| LEPTAGONUS_DECAGONUS | LEP_DEC | 3_Fish |
| ULCINA_OLRIKII | ULC_OLR | 3_Fish |
| ARTEDIELLUS_ATLANTICUS | ART_ATL | 3_Fish |
| GYMNOCANTHUS_TRICUSPIS | GYM_TRI | 3_Fish |
| ICELUS_SPP | ICE_SPP | 3_Fish |
| MYOXOCEPHALUS_SCORPIUS | MYO_SCO | 3_Fish |
| TRIGLOPS_MURRAYI | TRI_MUR | 3_Fish |
| TRIGLOPS_NYBELINI | TRI_NYB | 3_Fish |
| TRIGLOPS_PINGELII | TRI_PIN | 3_Fish |
| CAREPROCTUS_SP | CAR_SPP | 3_Fish |
| CYCLOPTERUS_LUMPUS | CYC_LUM | 3_Fish |
| EUMICROTREMUS_SPINOSUS | EUM_SPI | 3_Fish |
| LIPARIS_FABRICII | LIP_FAB | 3_Fish |
| LIPARIS_GIBBUS | LIP_GIB | 3_Fish |
| LIPARIS_MONTAGUI | LIP_MON | 3_Fish |
| PARALIPARIS_BATHYBIUS | PAR_BAT | 3_Fish |
| COTTUNCULUS_MICROPS | COT_MIC | 3_Fish |
| SEBASTES_MARINUS | SEB_MAR | 3_Fish |
| SEBASTES_MENTELLA | SEB_MEN | 3_Fish |
| SEBASTES_SPP | SEB_SPP | 3_Fish |
| SEBASTES_VIVIPARUS | SEB_VIV | 3_Fish |
| MAUROLICUS_MUELLERI | MAU_MUE | 3_Fish |
| BATHYRAJA_SPINICAUDA | BAT_SPI | 3_Fish |
| AMBLYRAJA_HYPERBOREA | AMB_HYP | 3_Fish |
| AMBLYRAJA_RADIATA | AMB_RAD | 3_Fish |
| RAJELLA_FYLLAE | RAJ_FYL | 3_Fish |
| SOMNIOSUS_MICROCEPHALUS | SOM_MIC | 3_Fish |


| ETMOPTERUS_SPINAX | ETM_SPI | 3_Fish |
| :---: | :---: | :---: |
| SQUALUS_ACANTHIAS | SQU_ACA | 3_Fish |
| ALLE_ALLE | ALL_ALL | 4_Birds |
| FRATERCULA_ARCTICA | FRA_ARC | 4_Birds |
| URIA_AALGE | URI_AAL | 4_Birds |
| URIA_LOMVIA | URI_LOM | 4_Birds |
| LARUS_ARGENTATUS | LAR_ARG | 4_Birds |
| LARUS_HYPERBOREUS | LAR_HYP | 4_Birds |
| LARUS_MARINUS | LAR_MAR | 4_Birds |
| RISSA_TRIDACTYLA | RIS_TRI | 4_Birds |
| FULMARUS_GLACIALIS | FUL_GLA | 4_Birds |
| ODOBENUS_ROSMARUS | ODO_ROS | 5_Mammals |
| CYSTOPHORA_CRISTATA | CYS_CRI | 5_Mammals |
| ERIGNATHUS_BARBATUS | ERI_BAR | 5_Mammals |
| PAGOPHILUS_GROENLANDICUS | PAG_GRO | 5_Mammals |
| PHOCA_HISPIDA | PHO_HIS | 5_Mammals |
| HALICHOERUS_GRYPUS | HAL_GRY | 5_Mammals |
| PHOCA_VITULINA | PHO_VIT | 5_Mammals |
| URSUS_MARITIMUS | URS_MAR | 5_Mammals |
| BALAENOPTERA_ACUTOROSTRATA | BAL_ACU | 5_Mammals |
| BALAENOPTERA_PHYSALUS | BAL_PHY | 5_Mammals |
| MEGAPTERA_NOVAEANGLIAE | MEG_NOV | 5_Mammals |
| BALENOPTERA_MUSCULUS | BAL_MUS | 5_Mammals |
| BALAENA_MYSTICETUS | BAL_MYS | 5_Mammals |
| DELPHINAPTERUS_LEUCAS | DEL_LEU | 5_Mammals |
| LAGENORHYNCHUS_ALBIROSTRIS | LAG_ALB | 5_Mammals |
| ORCINUS_ORCA | ORC_ORC | 5_Mammals |
| MONODON_MONOCEROS | MON_MON | 5_Mammals |
| PHOCOENA_PHOCOENA | PHO_PHO | 5_Mammals |
| PHYSETER_MACROCEPHALUS | PHY_MAC | 5_Mammals |

Table S3: Marine mammals prey links as used in the food web; one indicates a trophic link between a consumer (column) and a prey (row). A zero indicates no trophic link. In the columns, the marine mammal species' name abbreviations are color-coded by phylogenetic group (green $=$ pinnipeds, brown= Ursidae, blue= mysticetes, pink=odontocetes).

|  | $\begin{aligned} & \hline \mathbf{B A} \\ & \mathbf{L}_{-} \\ & \mathbf{A C} \\ & \mathbf{U} \end{aligned}$ | $\begin{aligned} & \hline \text { BA } \\ & \mathrm{L}_{-} \\ & \text {M } \\ & \text { US } \end{aligned}$ | $\begin{aligned} & \hline \text { BA } \\ & \mathbf{L}_{-} \\ & \mathrm{M} \\ & \mathrm{YS} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{BA} \\ & \mathrm{~L}_{-} \\ & \mathrm{PH} \\ & \mathrm{Y} \end{aligned}$ | $\begin{aligned} & \hline \text { C } \\ & \text { YS } \\ & \text {-C } \\ & \hline \mathbf{R I} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{DE} \\ & \mathrm{~L}_{-} \\ & \mathrm{LE} \\ & \mathrm{U} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{E} \\ & \mathrm{RI} \\ & { }^{\prime} \mathrm{B} \\ & \mathbf{A} \\ & \mathrm{R} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{HA} \\ & \mathrm{~L}_{-} \\ & \mathrm{GR} \\ & \mathrm{Y} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{LA} \\ & \mathrm{G}_{-} \\ & \mathrm{AL} \\ & \mathrm{~B} \end{aligned}$ | $\begin{aligned} & \mathrm{M} \\ & \mathrm{EG} \\ & \mathrm{~N} \\ & \mathrm{~N} \end{aligned}$ | $\begin{aligned} & \mathrm{M} \\ & \mathrm{ON} \\ & \text {-M } \\ & \hline \mathrm{ON} \end{aligned}$ | $\begin{aligned} & \hline \mathbf{O} \\ & \mathrm{D} \\ & \mathbf{O}_{-} \\ & \mathrm{R} \\ & \mathrm{OS} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{OR} \\ & \mathrm{C}_{-} \\ & \mathrm{OR} \\ & \mathrm{C} \end{aligned}$ | $\begin{aligned} & \text { PA } \\ & \mathbf{G}_{-} \\ & \text {GR } \\ & \mathbf{O} \end{aligned}$ | $\begin{aligned} & \mathrm{P} \\ & \mathrm{H} \\ & \mathrm{O} \\ & \mathrm{HI} \\ & \mathrm{~S} \end{aligned}$ | $\begin{aligned} & \mathrm{PH} \\ & \mathrm{O} \\ & \mathrm{PH} \\ & \mathrm{O} \end{aligned}$ | $\begin{aligned} & \hline \mathbf{P} \\ & \mathrm{H} \\ & \mathrm{O} \\ & \mathrm{~V} \overline{\mathrm{I}} \\ & \mathrm{~T} \end{aligned}$ | $\begin{aligned} & \mathrm{PH} \\ & \mathrm{Y}_{-} \\ & \mathrm{M} \\ & \mathrm{AC} \end{aligned}$ | $\begin{aligned} & \hline \text { UR } \\ & \mathbf{S}_{-} \\ & \mathbf{M}^{\text {AR }} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{\|l\|} \hline A C \\ A_{\bar{\prime}} \\ S \bar{P} \\ P \end{array}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A C \\ & T_{-} \\ & G_{\bar{P}} \\ & S \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline A G \\ L_{-} \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { BA } \\ \mathrm{L}_{-} \\ \mathrm{M} \\ \mathrm{US} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathbf{B A} \\ & \mathbf{L}_{-} \\ & \mathbf{P H} \\ & \mathbf{Y} \end{aligned}$ | $\begin{array}{\|l\|} \hline \text { C } \\ \text { YS } \\ \hline \mathbf{C} \\ \hline \text { RI } \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{DE} \\ & \mathrm{~L}_{-} \\ & \mathrm{LE} \\ & \mathrm{U} \end{aligned}$ | $\begin{array}{\|l\|} \hline \text { E } \\ \text { RI } \\ \text { B } \\ \hline \mathbf{A} \\ \text { R } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{LA} \\ & \mathrm{G}_{-} \\ & \mathrm{AL} \\ & \mathrm{~B} \end{aligned}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{~N} \\ \mathrm{~N} \\ \mathrm{OV} \end{array}$ | $\begin{aligned} & \hline \text { M } \\ & \text { ON } \\ & \text { M } \\ & \hline \mathrm{MN} \end{aligned}$ | $\begin{array}{\|l\|l} \hline \mathbf{O} \\ \mathrm{D} \\ \mathbf{O}_{-} \\ \mathbf{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{OR}^{\prime} \\ & \mathrm{C}_{-} \\ & \mathrm{OR} \\ & \mathrm{C} \end{aligned}$ | $\begin{array}{\|l\|} \hline \text { PA } \\ \mathbf{G}_{-} \\ \mathbf{G R} \\ \mathbf{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{H I} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{\bar{\prime}} \\ \text { VI } \\ \hline \text { T } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{U R} \\ \mathrm{S} \\ -\mathrm{M} \\ \mathrm{AR} \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline D I \\ & G \end{aligned}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| $\begin{aligned} & \hline A G \\ & L_{-} \\ & M A \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A G \\ & O_{-} \\ & C A \\ & T \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A L \\ & L_{\bar{\prime}} \\ & A L \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A M \\ & B_{-} \\ & H Y \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A M \\ & B_{-} \\ & R A \\ & D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A M \\ & M_{-} \\ & S P \\ & P \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 1 | 1 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline A N \\ & A_{-} \\ & D E \\ & N \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A N \\ & A_{-} \\ & L U \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A N \\ & A_{-} \\ & M I \\ & N \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A N \\ & I_{-} \\ & M E \\ & D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A P \\ & H_{-} \\ & G L \\ & \boldsymbol{A} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A P \\ & H_{-} \\ & M A \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A R \\ & C- \\ & G L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A R \\ & C_{\bar{\prime}} \\ & { }^{2 I I S} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A R \\ & G_{-} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A R \\ & R_{-} \\ & P H \\ & Y \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A R \\ & T_{-} \\ & A T \\ & L \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { BA } \\ \mathbf{L}_{-} \\ \text {M } \\ \text { US } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{P H} \\ \mathbf{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \hline \mathbf{C} \\ \mathbf{R I} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \mathbf{R I} \\ \mathbf{I B}^{\mathbf{B}} \\ \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \text { M } \\ \text { EG } \\ \text { on } \\ \text { OV } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{ON} \\ \text { _M } \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathrm{O} \\ \hline \mathbf{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { OR } \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \text { PA } \\ \mathbf{G}_{\bar{\prime}} \\ \mathbf{G R} \\ \mathbf{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}- \\ \hline \mathbf{H I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \text {VII } \\ \text { T } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathbf{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \mathrm{~S}_{-} \\ \mathbf{M} \\ \mathrm{AR} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline A S \\ & C_{-} \\ & G_{-} \\ & S P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A S \\ & E_{I} I \\ & N D \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & A S \\ & T_{-} \\ & R U \\ & B \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A S \\ & T_{\bar{\prime}} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & A U \\ & R_{-} \\ & A \bar{U} \\ & R \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline A U \\ & T_{-} \\ & F L \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & B A \\ & C I I \\ & N D \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{B A} \\ & L_{-} \\ & \boldsymbol{A C} \\ & \boldsymbol{U} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B A \\ & L_{-} \\ & M Y \\ & S \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B A \\ & L_{-} \\ & P H \\ & Y \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B A \\ & L_{-} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \boldsymbol{B A} \\ & \hline \boldsymbol{T}_{-} \\ & G L \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & B A \\ & T_{\bar{\prime}} \\ & S P I \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B E \\ & N_{\bar{\prime}} \\ & G L \\ & A \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B E \\ & N_{-} \\ & L A \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B E \\ & R_{\bar{\prime}} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B O \\ & L_{L} I \\ & N F \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline B O \\ & R_{-} \\ & S A I \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 1 | 1 | 1 | 1 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |


|  | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \mathbf{U S} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \text { BA } \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{PH} \\ \mathbf{Y} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathbf{C} \\ \text { YS } \\ \hline \mathbf{C} \\ \hline \mathbf{R I} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \mathbf{R I} \\ \mathbf{I A}_{\mathbf{B}} \\ \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { M } \\ \text { EG } \\ \text {-N } \\ \text { OV } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{ON} \\ \text { _M } \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{O} \\ \mathrm{D} \\ \mathrm{O}- \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \text { OR } \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{aligned} & \hline \text { PA } \\ & \mathbf{G}_{-} \\ & \text {GR } \\ & \mathbf{O} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{H I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{O}_{-} \\ \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O} \\ \mathbf{V I} \\ \mathbf{T} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \hline \mathrm{~S}_{-} \\ \mathrm{M} \\ \mathrm{AR} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline B R \\ & O_{\bar{\prime}} \\ & B R \\ & O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & B R \\ & Y_{I} I \\ & N D \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & B U \\ & C \\ & C \bar{P} \\ & \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C A \\ & L_{-} \\ & F I \\ & N \\ & \hline \end{aligned}$ | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C A \\ & L_{-} \\ & G L \\ & A \\ & \hline \end{aligned}$ | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C A \\ & L_{-} \\ & H Y \\ & P \\ & \hline \end{aligned}$ | 1 | 0 | 1 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C A \\ & R_{-} \\ & S P \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & C H \\ & A \\ & S \bar{P} \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & C H \\ & I_{-} O \\ & P I \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \text { CH } \\ & L_{L} I \\ & S L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C H \\ & O_{\bar{P}} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { CI } \\ & O_{N T} I \\ & N T \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C I \\ & R \_I \\ & N D \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C L \\ & I_{I} L \\ & I M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{C L} \\ & \hline U_{-} \\ & H A \\ & \boldsymbol{R} \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 1 | 1 | 1 | 0 | 1 | 1 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 | 1 |
| $\begin{aligned} & C O \\ & L_{-} \\ & S P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C O \\ & T_{-} \\ & M I \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & C R \\ & o- \\ & P \bar{A} \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C T \\ & E_{-} \\ & C R \\ & I \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & C_{C} \\ & C_{-} \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { BA } \\ \mathrm{L}_{-} \\ \mathrm{M} \\ \mathrm{US} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathbf{B A} \\ & \mathbf{L}_{-} \\ & \mathbf{P H} \\ & \mathbf{Y} \end{aligned}$ | $\begin{array}{\|l\|} \hline \text { C } \\ \text { YS } \\ \hline \mathbf{C} \\ \hline \text { RI } \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{DE} \\ & \mathrm{~L}_{-} \\ & \mathrm{LE} \\ & \mathrm{U} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{E} \\ & \mathrm{RI} \\ & \mathbf{I B}^{\mathrm{B}} \\ & \mathbf{A} \\ & \mathrm{R} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{LA} \\ & \mathrm{G}_{-} \\ & \mathrm{AL} \\ & \mathrm{~B} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{~N} \\ \mathrm{~N} \\ \hline \mathrm{OV} \end{array}$ | $\begin{aligned} & \hline \mathrm{M} \\ & \mathrm{ON} \\ & \hline \mathrm{M} \\ & \mathrm{ON} \\ & \hline \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathbf{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { OR } \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \text { PA } \\ \text { G- } \\ \text { GR } \\ \mathbf{O} \end{array}$ | $\begin{array}{\|l} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{H I} \\ \mathbf{S} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathrm{H} \\ \mathbf{O} \\ \mathbf{V I} \\ \mathrm{~T} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \hline \mathrm{~S}_{-} \\ \mathrm{M} \\ \mathrm{AR} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { FR } \\ & O \end{aligned}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| $\begin{aligned} & \hline C Y \\ & A_{-} \\ & C A \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline C Y \\ & C \\ & L U \\ & M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 |
| $\begin{aligned} & \hline C Y \\ & S_{-} \\ & C R \\ & I \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline D E \\ & L_{-} \\ & L E \\ & U \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| $\begin{aligned} & \hline D E \\ & T-I \\ & N D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline D I \\ & A T \\ & O M \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M_{-} \\ & M_{-} \\ & A R \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline E L \\ & E_{-} \\ & A R \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline E N \\ & C- \\ & C \bar{I} \\ & M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline E R \\ & I-B \\ & A R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 |
| $\begin{aligned} & \hline E R \\ & Y_{-} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline E T \\ & M_{-} \\ & S P I \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { EU } \\ & C-I I \\ & N D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline E U \\ & K_{-} \\ & H A \\ & M \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & E U \\ & M_{-} \\ & S P I \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline E U \\ & \hline P_{-} \\ & F L \\ & A M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline F I_{-} \\ & L A \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline F O \\ & R_{1} I \\ & N D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline F R \\ & A_{-} \\ & A R \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \end{array}$ | $\begin{array}{\|l\|} \hline \text { BA } \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \text { US } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{P H} \\ \mathbf{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \hline \mathbf{C} \\ \text { RI } \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \text { RI } \\ \hline \mathbf{B} \\ \hline \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{LA} \\ \mathrm{G} \\ \mathrm{G}- \\ \mathrm{A} \overline{\mathrm{~L}} \\ \mathrm{~B} \end{array}$ | $\begin{aligned} & \hline \mathrm{M} \\ & \mathrm{EG} \\ & \mathrm{~N} \\ & \mathrm{NV} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{ON} \\ \text { _M } \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathbf{O} \\ & \mathbf{D} \\ & \mathbf{O}_{-} \\ & \mathbf{R}^{\prime} \\ & \mathrm{OS}^{2} \end{aligned}$ | $\begin{array}{\|l\|} \hline \text { OR } \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \text { PA } \\ \mathrm{G}_{-} \\ \mathrm{GR} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O} \\ \hline \mathbf{H I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{l\|} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \text { H } \\ \text { O- } \\ \text { VI } \\ \text { T } \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{PH} \\ & \mathrm{Y}_{-} \\ & \mathrm{M} \\ & \mathrm{AC} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \mathrm{~S}_{-} \\ \mathrm{M} \\ \mathrm{AR} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline F R \\ & I_{I} B \\ & O R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline F U \\ L_{-} \\ G L \\ A \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline G A \\ D_{-} \\ A R \\ G \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline G A \\ D_{-} \\ M O \\ R \\ \hline \end{array}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 | 1 |
| $\begin{aligned} & \hline G A \\ & I_{-} A \\ & R G \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{G A} \\ & L_{-} \\ & S P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline G A \\ M_{-} \\ I N \\ D \\ \hline \end{array}$ | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline G A \\ M_{-} \\ W I \\ L \\ \hline \end{array}$ | 0 | 0 | 1 | 0 | 1 | 0 | 1 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline G A \\ & S_{-} \\ & A C \\ & U \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline G E \\ O_{\bar{P}} \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|l} \hline G L \\ Y_{-} \\ C Y \\ N \\ \hline \end{array}$ | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{G O} \\ & \boldsymbol{N}_{-} \\ & \boldsymbol{F A} \\ & \boldsymbol{B} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 1 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 1 | 0 |
| $\begin{array}{l\|} \hline G O \\ R- \\ S P \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{G Y} \\ & M_{-} \\ & S P \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline G Y \\ & M_{-} \\ & T R \\ & I \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
|  | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline L_{-} \\ G L \\ G \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline \boldsymbol{H E} \\ \boldsymbol{T}_{-} \\ \boldsymbol{F I} \\ \boldsymbol{L} \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline H_{-} \\ & T_{-} \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \text { US } \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{PH} \\ \mathbf{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \hline \mathbf{C} \\ \hline \mathbf{R I} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \mathbf{R I} \\ \hline \mathbf{B} \\ \hline \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{~N} \\ \mathrm{~N} \\ \mathrm{OV} \end{array}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{ON} \\ \text { M } \\ \hline \mathrm{MN} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathrm{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{OR} \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \text { PA } \\ \mathrm{G}_{\bar{\prime}} \\ \mathrm{GR} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{H I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{O} \\ \hline \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{V I} \\ \mathbf{T} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \text { UR } \\ \mathbf{S}_{-} \\ \mathbf{M} \\ \text { AR } \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & F L \\ & A \end{aligned}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| $\begin{aligned} & \hline H_{I} \\ & A_{-} \\ & A R \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline H_{I} \\ & P_{-} \\ & H I \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{H I I}^{2} \\ & \boldsymbol{P}_{\bar{L}} \\ & \boldsymbol{A} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & H Y \\ & A Y \\ & S \bar{P} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & H Y \\ & D_{1} I \\ & N D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline I C \\ & E_{-} \\ & A L_{2} \\ & G \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { IC } \\ & E \\ & E_{-} \\ & P \\ & P \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline L A \\ & G_{-} \\ & A \bar{L} \\ & \boldsymbol{B} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & L A \\ & R_{-} \\ & A R_{1} \\ & G \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & L A \\ & R_{-} \\ & H Y \\ & P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L A \\ & R_{-} \\ & M A \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L E \\ & P_{-} \\ & D E \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { LE } \\ & P_{-} \\ & M A \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L I \\ & M- \\ & H E \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L I \\ & M_{-} \\ & L I \\ & M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L I \\ & M_{-} \\ & R E \\ & T \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{gathered} \text { LIP } \\ -\boldsymbol{F} \\ \hline \boldsymbol{A} B \end{gathered}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \text { US } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { BA } \\ \mathbf{L}_{-} \\ \text {PH } \\ \mathbf{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \hline \mathbf{C} \\ \mathbf{R I} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \mathbf{R I} \\ \hline \mathbf{B} \\ \hline \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{~N} \\ \mathrm{~N} \\ \mathrm{OV} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{ON} \\ \text {-M } \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathrm{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { OR } \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | PA <br> G <br> GR <br> O | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O} \\ \hline \mathbf{H I I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \text {VII } \\ \text { T } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \mathrm{~S}_{-} \\ \mathbf{M} \\ \mathrm{AR} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { LIP } \\ & { }_{\boldsymbol{B}} \boldsymbol{G I} \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 |
| $\begin{gathered} \hline L I P \\ -M \\ O N \end{gathered}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{L U} \\ & M_{-} \\ & \boldsymbol{F A} \\ & \boldsymbol{B} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L U \\ & M_{-} \\ & L A \\ & M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & L U \\ & M- \\ & M I \\ & N \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L U \\ & M_{-} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L Y \\ & C_{\bar{\prime}} \\ & E S \\ & M \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & L Y \\ & C_{-} \\ & \boldsymbol{E U} \\ & \boldsymbol{D} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & L Y \\ & C_{-} \\ & G R \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline L Y \\ & C_{\bar{O}} \\ & \boldsymbol{K O} \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline L^{\prime} \boldsymbol{Y} \\ & C_{-} \\ & P A \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline L Y \\ & C_{-} \\ & R E \\ & T \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline L Y \\ & C_{-} \\ & R O \\ & S \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline L Y \\ & C \\ & S E \\ & M \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline M A \\ & C_{-} \\ & B E \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & M A \\ & C I I \\ & N D \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M A \\ & C- \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M A \\ & L_{-} \\ & S A \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| MA | 1 | 0 | 0 | 1 | 1 | 1 | 0 | 1 | 1 | 1 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |


|  | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{aligned} & \hline \text { BA } \\ & \mathbf{L}_{-} \\ & \text {M } \\ & \text { US } \end{aligned}$ | $\begin{aligned} & \hline \mathbf{B A} \\ & \mathbf{L}_{-} \\ & \mathbf{M} \\ & \mathbf{Y S} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{\bar{\prime}} \\ \mathbf{P H} \\ \mathbf{Y} \end{array}$ | $\begin{array}{\|l\|} \hline \text { C } \\ \text { YS } \\ \text { C } \\ \text { RI } \end{array}$ | $\begin{aligned} & \hline \mathrm{DE} \\ & \mathrm{~L}_{-} \\ & \mathrm{LE} \\ & \mathrm{U} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{E} \\ & \mathrm{RI} \\ & \mathbf{I}^{\mathrm{B}} \\ & \mathrm{~A} \\ & \mathrm{R} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{HA} \\ & \mathrm{~L}_{-} \\ & \mathrm{GR} \\ & \mathrm{Y} \end{aligned}$ | $\begin{aligned} & \mathrm{LA} \\ & \mathrm{G} \\ & \mathrm{AL} \\ & \mathrm{AL} \\ & \mathrm{~B} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{M} \\ \mathrm{OV} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{M} \\ & \mathrm{ON} \\ & \text { _M } \\ & \mathrm{O} \\ & \hline \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathbf{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{OR} \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{aligned} & \hline \text { PA } \\ & \mathbf{G}_{-} \\ & \text {GR } \\ & \mathbf{O} \end{aligned}$ | $\begin{aligned} & \mathrm{P} \\ & \mathrm{H} \\ & \mathbf{O} \\ & \mathrm{HI} \\ & \mathrm{~S} \end{aligned}$ | $\begin{aligned} & \mathrm{PH} \\ & \mathrm{O}_{-} \\ & \mathrm{PH} \\ & \mathrm{O} \end{aligned}$ | $\begin{aligned} & \hline \mathbf{P} \\ & \mathbf{H} \\ & \mathbf{O}_{-} \\ & \mathrm{VI} \\ & \mathrm{~T} \end{aligned}$ | $\begin{aligned} & \mathrm{PH} \\ & \mathrm{Y}_{-} \\ & \mathrm{M} \\ & \mathrm{AC} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{UR} \\ & \mathrm{~S}_{-} \\ & \mathrm{M} \\ & \mathrm{AR} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{\|l\|} \hline V I \\ \hline \end{array}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| $\begin{array}{\|l\|} \hline M A \\ U_{-} \\ M U \\ E \\ \hline \end{array}$ | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M E \\ & G_{-} \\ & N O \\ & R \\ & \hline \end{aligned}$ | 1 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M E \\ & G_{-} \\ & N O \\ & V \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L_{-} \\ & L_{-} \\ & A E \\ & G \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline M E \\ & N_{-} \\ & F E \\ & \boldsymbol{R} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M_{-} \\ & R- \\ & M E \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline M E \\ & R_{-} \\ & O V \\ & U \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M E \\ & T_{\overline{ }} \\ & L O \\ & N \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M E \\ & T_{-} \\ & L U \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M I \\ & C_{-} \\ & K I \\ & T \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M I \\ & C- \\ & P O \\ & U \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M I \\ & C_{-} \\ & S \boldsymbol{P} \\ & \boldsymbol{P} \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M I \\ & X_{-} \\ & F \bar{L} \\ & \boldsymbol{A} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M O \\ & L_{-} \\ & B O \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline L_{-} \\ & L_{-} \\ & L O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M O \\ & N_{-} \\ & M O \\ & N \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline M Y \\ & A_{-} \\ & T R \\ & U \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \text { US } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathrm{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{\bar{\prime}} \\ \mathrm{PH} \\ \mathrm{Y} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \text {-C } \\ \text { RI } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \mathrm{RI} \\ \hline \mathbf{B} \\ \hline \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{LA} \\ & \mathrm{G} \\ & \overline{\mathrm{AL}} \\ & \mathrm{~B} \\ & \hline \end{aligned}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{~N} \\ \mathrm{~N} \\ \mathrm{OV} \end{array}$ | $\begin{aligned} & \hline \text { M } \\ & \text { ON } \\ & \text { M } \\ & \hline \mathrm{MN} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathrm{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{OR}^{\prime} \\ & \mathrm{C}_{-} \\ & \mathrm{OR} \\ & \mathrm{C} \end{aligned}$ | $\begin{array}{\|l\|} \hline \text { PA } \\ \mathbf{G}_{-} \\ \mathbf{G R} \\ \mathbf{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{H I I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \text {VII } \\ \text { T } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \mathrm{~S} \\ \mathrm{M} \\ \mathrm{AR} \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline M Y \\ & O \\ & S \bar{C} \\ & O \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline R_{-} \\ & R_{-} \\ & H E \\ & E \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline N E \\ & M_{-} \\ & M E \\ & G \\ & \hline \end{aligned}$ | 0 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \text { NE } \\ & P_{\bar{\prime}} \\ & S \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { NY } \\ & C_{-} \\ & C O \\ & U \\ & \hline \end{aligned}$ | 0 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O D \\ & O \bar{O} \\ & R \bar{O} \\ & S \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| $\begin{aligned} & O_{1} \\ & K_{-} \\ & D I \\ & O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline K_{1} \\ & K_{\bar{P}} \\ & S \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{O I} \\ & K_{-} \\ & V A \\ & N \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline \text { OI } \\ T_{-} \\ S I \\ \hline \end{array}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O_{1} \\ & T_{-} \\ & S P I \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O N \\ & C_{\bar{\prime}} \\ & \boldsymbol{B O} \\ & \boldsymbol{R} \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { ON } \\ & I_{I} G \\ & L A \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O_{1} N \\ & I_{-} N \\ & A N \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O^{\prime} \\ & H_{-} \\ & A \bar{C} \\ & U \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{O P} \\ & \boldsymbol{H}_{-} \\ & \boldsymbol{B I} \\ & \boldsymbol{D} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O P \\ & H_{\bar{O}} \\ & \boldsymbol{B} \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O P_{1} \\ & H_{-} \\ & G L \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \text { US } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathrm{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{\bar{\prime}} \\ \mathrm{PH} \\ \mathrm{Y} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{C} \\ \text { YS } \\ \text { _C } \\ \text { RI } \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \mathrm{RI} \\ \hline \mathbf{B} \\ \hline \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { M } \\ \text { EG } \\ \text {-N } \\ \hline \mathrm{OV} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{ON} \\ \mathrm{M} \\ \mathrm{M} \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathbf{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{OR}^{\mathrm{C}} \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { PA } \\ \mathbf{G}_{-} \\ \mathbf{G R} \\ \mathbf{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{H I I} \\ \mathbf{S} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \text {VII } \\ \text { T } \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{U R} \\ \mathrm{S} \\ -\mathrm{M} \\ \mathrm{AR} \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline O P \\ & H_{-} \\ & S E \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O_{P} \\ & H_{-} \\ & S \bar{P} \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O R_{1} \\ & C_{-} \\ & O R \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline O S \\ & T_{I} I \\ & N D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & P A \\ & G_{-} \\ & G R \\ & O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| $\begin{aligned} & \hline P_{A} \\ & G_{\bar{P}} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & \hline N_{-} \\ & B O \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & R_{-} \\ & B A \\ & T \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & R_{-} \\ & C A \\ & M \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & R- \\ & G \bar{L} \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & R_{-} \\ & J E \\ & F \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & R_{-} \\ & N O \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P A \\ & R_{-} \\ & S P \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P H \\ & A_{-} \\ & S T \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P H \\ & O_{-} \\ & H I \\ & S \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| $\begin{aligned} & \hline P H \\ & O_{\bar{\prime}} \\ & P H \\ & O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline P H \\ O_{\bar{\prime}} \\ V \\ T \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 |
| $\begin{aligned} & P H \\ & Y \\ & Y \\ & N D \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { BA } \\ \mathbf{L}_{-} \\ \text {M } \\ \text { US } \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{BA} \\ & \mathrm{~L}_{-} \\ & \mathrm{M} \\ & \mathrm{YS} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{\bar{\prime}} \\ \mathbf{P H} \\ \mathbf{Y} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \hline \mathbf{C} \\ \mathbf{R I} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathrm{DE} \\ & \mathrm{~L}_{-} \\ & \mathrm{LE} \\ & \mathrm{U} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{E} \\ & \mathrm{RI} \\ & \mathbf{I}^{\mathrm{B}} \\ & \mathrm{~A} \\ & \mathrm{R} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{HA} \\ & \mathrm{~L}_{-} \\ & \mathrm{GR} \\ & \mathrm{Y} \end{aligned}$ | $\begin{array}{\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{M} \\ \mathrm{OV} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{ON} \\ \mathrm{M} \\ \mathrm{M} \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathbf{O}- \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{aligned} & \hline \text { OR } \\ & \mathrm{C}_{-} \\ & \mathrm{OR} \\ & \mathrm{C} \end{aligned}$ | $\begin{array}{\|l} \hline \text { PA } \\ \mathbf{G}_{\bar{\prime}} \\ \mathbf{G R} \\ \mathbf{O} \\ \hline \end{array}$ | $\begin{aligned} & \hline \mathbf{P} \\ & \mathrm{H} \\ & \mathbf{O} \\ & \mathrm{HII} \\ & \mathrm{~S} \end{aligned}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{O} \\ \mathrm{PH} \\ \mathrm{O} \end{array}$ | $\begin{aligned} & \hline \mathbf{P} \\ & \mathbf{H}_{0} \\ & \mathbf{O}_{\bar{I}} \\ & \mathrm{~T} \end{aligned}$ | $\begin{aligned} & \mathrm{PH} \\ & \mathrm{Y}_{-} \\ & \mathrm{M} \\ & \mathrm{AC} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{UR} \\ & \mathrm{~S}_{-} \\ & \mathrm{M} \\ & \mathrm{AR} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \hline \boldsymbol{P H} \\ & Y_{-} \\ & M A \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P L \\ & E_{-} \\ & P \bar{L} \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline P O \\ & L_{N} I \\ & \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P O \\ & L_{-} \\ & P O \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
|  | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 1 | 0 |
| $\begin{aligned} & \hline P O \\ & L Y \\ & I N \\ & D \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P O \\ & N_{-} \\ & N O \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 |
| $P O$ <br> $N_{-}$ <br> $T E$ <br> $N$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & P O \\ & R_{-} \\ & G_{-} \\ & S P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P R \\ & I_{I} C \\ & I R \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P R \\ & O Z \\ & O O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \boldsymbol{P S} \\ & E_{-} \\ & S P \\ & \hline \boldsymbol{P} \\ & \hline \end{aligned}$ | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline P Y \\ & C_{-} \\ & G_{-} \\ & S P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & R A \\ & J_{-} \\ & F Y \\ & L \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline R E \\ & I_{-} \\ & H \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline R H \\ & A_{-} \\ & S P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline R I S \\ & \hline T \\ & \boldsymbol{R I} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \text { RO } \\ & S_{P} S \\ & P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline S A \\ & B_{-} \\ & S P \\ & \hline \boldsymbol{P} \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |


|  | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathbf{M}^{2} \\ \mathrm{US} \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \mathbf{Y S} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathbf{B A} \\ \mathbf{L}_{-} \\ \mathbf{P H} \\ \mathbf{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{C} \\ \text { YS } \\ \text { _C } \\ \hline \mathbf{R I} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{DE} \\ \mathrm{~L}_{-} \\ \mathrm{LE} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{E} \\ \text { RI } \\ \hline \mathbf{B} \\ \hline \mathbf{A} \\ \mathbf{R} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{HA} \\ \mathrm{~L}_{-} \\ \mathrm{GR} \\ \mathrm{Y} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \mathrm{LA} \\ \mathrm{G}_{-} \\ \mathrm{AL} \\ \mathrm{~B} \\ \hline \end{array}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{EG} \\ \mathrm{~N} \\ \mathrm{~N} \\ \mathrm{OV} \end{array}$ | $\begin{array}{\|l} \hline \mathrm{M} \\ \mathrm{ON} \\ \text {-M } \\ \hline \mathrm{ON} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{O} \\ \mathrm{D} \\ \mathbf{O}_{-} \\ \mathrm{R} \\ \mathrm{OS} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \text { OR } \\ \mathrm{C}_{-} \\ \mathrm{OR} \\ \mathrm{C} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \text { PA } \\ \mathrm{G}_{-} \\ \mathrm{GR} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O} \\ \hline \mathbf{H I} \\ \mathrm{S} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathrm{O} \\ \overline{\mathrm{PH}} \\ \mathrm{O} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathbf{P} \\ \mathbf{H} \\ \mathbf{O}_{-} \\ \mathbf{V I} \\ \mathbf{T} \\ \hline \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{PH} \\ \mathbf{Y}_{-} \\ \mathrm{M} \\ \mathrm{AC} \end{array}$ | $\begin{array}{\|l\|} \hline \mathrm{UR} \\ \mathrm{~S}_{-} \\ \mathrm{M} \\ \mathrm{AR} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & S A \\ & G_{-} \\ & S P \\ & P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S A \\ & R_{-} \\ & S P \\ & P \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S C \\ & A-I \\ & N F \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S C \\ & L_{-} \\ & S P \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline S C \\ & O- \\ & S \bar{C} \\ & O \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline S E \\ & B_{-} \\ & M A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 |
| $\begin{aligned} & \hline S E \\ & B_{-} \\ & M E \\ & N \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline S E \\ & B_{\overline{1}} \\ & S P \\ & \boldsymbol{P} \\ & \hline \end{aligned}$ | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 |
| $\begin{aligned} & \hline S E \\ & \boldsymbol{B}_{-} \\ & \boldsymbol{V I} \\ & \boldsymbol{V} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S I \\ & M_{-} \\ & G R \\ & E \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S O \\ & M_{-} \\ & M I \\ & C \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline \text { SPI } \\ & \hline I N \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S P I \\ & \hline \boldsymbol{K} \\ & \hline \boldsymbol{R} O \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{gathered} \hline S P I \\ T \\ \bar{Y} P \\ \hline \end{gathered}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S Q \\ & U_{-} \\ & A \bar{C} \\ & A \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S T I \\ & -T \\ & \hline R E \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline S T \\ & R O \\ & S_{P} \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline T E \\ & R_{-} \\ & S T \\ & R O \\ & \hline T \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline T H \\ & E_{-} \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 |


|  | $\begin{array}{\|l\|} \hline \mathrm{BA} \\ \mathrm{~L}_{-} \\ \mathrm{AC} \\ \mathrm{U} \\ \hline \end{array}$ | $\begin{array}{\|l\|l} \hline \text { BA } \\ \mathbf{L}_{-} \\ \mathbf{M} \\ \text { US } \end{array}$ | $\begin{aligned} & \hline \text { BA } \\ & \mathbf{L}_{-} \\ & \text {M } \\ & \text { YS } \end{aligned}$ | $\begin{aligned} & \hline \mathbf{B A} \\ & \mathbf{L}_{-} \\ & \mathbf{P H} \\ & \mathbf{Y} \end{aligned}$ | $\begin{aligned} & \hline \text { C } \\ & \text { YS } \\ & \text {-C } \\ & \text { RI } \end{aligned}$ | $\begin{aligned} & \hline \mathrm{DE} \\ & \mathrm{~L}_{-} \\ & \mathrm{LE} \\ & \mathrm{U} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{E} \\ & \mathrm{RI} \\ & { }^{\text {B }} \\ & \hline \mathbf{A} \\ & \mathrm{R} \end{aligned}$ | $\begin{aligned} & \text { HA } \\ & \mathrm{L}_{-} \\ & \text {GR } \\ & \mathrm{Y} \end{aligned}$ | $\begin{aligned} & \mathrm{LA} \\ & \mathrm{G} \\ & \mathrm{AL} \\ & \mathrm{~B} \end{aligned}$ | $\begin{aligned} & \hline \text { M } \\ & \text { EG } \\ & -\mathrm{N} \\ & \mathrm{OV} \end{aligned}$ | $\begin{aligned} & \mathrm{M} \\ & \mathrm{ON} \\ & \text { _M } \\ & \text { ON } \end{aligned}$ | $\begin{aligned} & \hline \mathrm{O}_{1} \\ & \mathrm{D} \\ & \mathrm{O}_{-} \\ & \mathrm{R} \\ & \mathrm{OS} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{OR} \\ & \mathrm{C}_{-} \\ & \mathrm{OR} \\ & \mathrm{C} \end{aligned}$ | $\begin{aligned} & \hline \text { PA } \\ & \mathrm{G}_{-} \\ & \mathrm{GR} \\ & \mathrm{O} \end{aligned}$ | $\begin{aligned} & \hline \mathbf{P} \\ & \mathbf{H} \\ & \mathbf{O} \\ & \mathrm{HII} \\ & \mathrm{~S} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{PH} \\ & \mathrm{O}_{-} \\ & \mathrm{PH} \\ & \mathrm{O} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{P} \\ & \mathrm{H} \\ & \mathrm{O}_{-} \\ & \mathrm{VI} \\ & \mathrm{~T} \end{aligned}$ | $\begin{aligned} & \text { PH } \\ & \mathrm{Y}_{-} \\ & \mathrm{M} \\ & \mathrm{AC} \end{aligned}$ | $\begin{aligned} & \hline \mathrm{UR} \\ & \mathrm{~S}_{-} \\ & \mathrm{M} \\ & \mathrm{AR} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{\|l\|} \hline A B \\ Y \end{array}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| $\begin{array}{\|l\|} \hline \text { TH } \\ E_{-} \\ L I \\ B \\ \hline \end{array}$ | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l} \hline T H \\ Y_{-} \\ G O \\ U \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & T H \\ & Y-I \\ & N E \end{aligned}$ | 1 | 1 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline T H \\ & Y_{-} \\ & L O \\ & N \\ & \hline \end{aligned}$ | 1 | 1 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 | 0 |
| $\begin{aligned} & \hline T H \\ & Y_{-} \\ & R A \\ & S \\ & \hline \end{aligned}$ | 1 | 1 | 1 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline T R \\ I_{I} E \\ S M \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 |
|  | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| $\begin{array}{\|l\|} \hline T R \\ I_{I} N \\ \boldsymbol{Y} B \end{array}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline T R \\ & I_{I} P \\ & I N \end{aligned}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 0 | 0 | 1 | 1 | 0 | 1 | 0 | 0 |
| $\begin{aligned} & \hline U L \\ & C- \\ & O L \\ & R \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline U R \\ A_{-} \\ L I \\ N \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline U R \\ & I_{-} A \\ & A L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{gathered} U R \\ I_{-} L \\ O M \end{gathered}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{array}{\|l\|} \hline U R \\ S_{-} \\ M A \\ R \\ \hline \end{array}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\begin{aligned} & \hline Y O \\ & L_{-} \\ & S O \\ & L \\ & \hline \end{aligned}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

