# ACOUSTIC ABUNDANCE ESTIMATION OF THE SPAWNING COMPONENT OF THE LOCAL HERRING STOCK IN LINDAASPOLLENE, WESTERN NORWAY 

By<br>Magnar Aksland<br>Department of Fisheries Biology, University of Bergen


#### Abstract

Akskland, M. 1983. Acoustic abundance estimation of the spawning component of the local herring stock in Lindaaspollene, western Norway. FiskDir. Skr.Ser. HavUnders., 297-334.

During 1978-1980 yearly acoustic surveys were carried out in the spawning area of a small herring stock in the semi-enclosed bay area Lindaaspollene, approximately 30 km north of Bergen, using the Simrad EY-M echo sounder system. Absolute abundance estimates have been calculated by means of echo integration of the survey data and controlled acoustic measurements of anaesthetized single fish at tilt angles between $-45^{\circ}$ and $45^{\circ}$. The stock size may roughly be set at $150,000-250,000$ individuals in 1979, while in 1980 the number was $100,000-200,000$ older fish and $150,000-300,000$ recruits.


## INTRODUCTION

The present paper presents some results from acoustic investigations of the "Lindaas herring stock", which is a small local stock living in the Lindaas poll system shown in Fig. 1. The investigations are part of a larger program originally started in 1971 as a result of the 1961 ICES meeting, "Herring population studies", in Copenhagen, which recommended intensive studies of small, self-contained stocks.
A description of the Lindaas poll escosystem is found in Dahl, Østvedt and Lie (1973) and description of the local herring stock in Lie, Dahl and Østvedt (1978). A detailed study of the egg and larval stage of the herring stock has been performed by A. Johannessen parallel with the acoustic investigations. He also gives estimates of the spawning stock based on egg surveys (Johannessen 1982).

Before spawning, which takes place in late March or early April, the stock concentrates in the spawning area northeast of Bjørnøy (see Fig. 1.). This


Fig. 1. The Lindaas poll system.
situation is excellent for acoustic surveying since the stock is distributed within a well-defined region where mixing with other sound scattering organisms is negligible.

To obtain yearly estimates of the size of the spawning stock, night-time surveys along zig-zag nets were performed in 1978, 1979 and 1980 with a small boat equipped with radar, a portable echo sounding system and analog cassette tape recorder for storing the acoustic data. Estimates are computed by means of the echo integration technique, where the integrator data are referred to controlled acoustic measurements on anaesthetized single fish by the same echo sounder, thus precluding the need for parameters such as source level, voltage response and target strength.

The data from both measurements and surveys were detected, digitized and stored on digital tapes and further processed on a general Nord-100 computer system by means of programs written in Fortran. Since the signal was sampled each $66 \mu \mathrm{~s}$, the data contained fine details, and each received single echo consisted in roughly 17 values.

Since the estimates depend on the tilt angle distribution of the stock, which has not been observed, stock sizes in numbers of fish for different tilt angle distributions are given in a table. All computations have been performed ashore on general computers.

The paper gives a short description of the theory behind the method and a straightforward report of the computer processing.

MODEL AND NOTATIONS FOR THE ACOUSTIC PROPERTIES OF FISH
As in Foote (1980) each fish is assigned a function $\sigma(\tau, \varrho)$ as a measure of the ability to backscatter sound energy transmitted by an echo sounder. The arguments $\tau$ and $\varrho$ are the apparent tilt and roll angle of the orientation of the fish relative to the direction of sound such that $\tau=\varrho=0$ when the dorsal aspect direction of the fish passes through the transducer and $\tau$ is positive when the fish is frontally oriented towards the transducer. The function $\sigma(\tau, \varrho)$ is here defined slightly differently from the absolute scattering cross section concept in the acoustic litterature and is called the relative scattering cross section (r.s.c.s.) function. The following explanation leads to its definition.

Consider an echo sounder with " $20 \log r$ " time varied gain (TVG). The TVG function is proportional to $\operatorname{texp}(2 c \beta t)$, where c is the sound speed, $\beta$ the absorption coefficient, and $t$ the time measured from transmission of a sound pulse.

The echo from a point scatterer at distance $r$ from the transducer generates, after detection of the received signal, a pulse of voltage $V(t)$ with center at time $2 \mathrm{r} / \mathrm{c}$ after transmission of the center of the sound pulse $(\mathrm{t}=0)$. The relative intensity of the pulse is defined as

$$
\mathrm{I}=\mathrm{k} \int \mathrm{~V}^{2}(\mathrm{t}) \mathrm{dt}, \begin{align*}
& \frac{2 \mathrm{r}}{\mathrm{c}}+\varepsilon \\
& \frac{2 \mathrm{r}}{\mathrm{c}}-\varepsilon \tag{1}
\end{align*}
$$

where $\varepsilon$ is large enough to make $\frac{\mathrm{dI}}{\mathrm{d} \varepsilon} / \mathrm{I} \approx 0$ in the absence of noise, and k is a user-defined constant. In this paper, however, k depends on the recorder gain setting of the echo sounder.

Let a fish with apparent tilt and roll angles $\tau$ and $\varrho$ be on the acoustic axis at distance $r$ from the transducer. The r.s.c.s. function is defined by
$\sigma(\tau, \varrho)=r^{2} I$
where $I$ is the measured intensity (1) of the received pulse. Equation (2) is used for experimental measurement of $\sigma$. For fish beyond the acoustic axis, positions are given in the usual transducer-fixed spherical reference system ( $\theta, \phi, \mathrm{r})$ as shown in Fig. 2. The relationship between I and $\sigma$ for fish at position $(\theta, \phi, r)$ is simply:


Fig. 2. Transducer-fixed reference system.
$\sigma(\tau, \varrho)=\frac{\mathrm{r}^{2} \mathrm{I}}{\mathrm{b}^{2}(\theta, \phi)}$
where $\mathrm{b}^{2}(\theta, \phi)$ is the product of the transducer transmit and receive beam functions. It follows from (3) and substitution of $r=c t / 2$ in the TVG function that
$\frac{\mathrm{I}}{\operatorname{TVG}(\mathrm{r})} \propto \frac{\mathrm{b}^{2}(\theta, \phi) \sigma(\mathrm{r}, \mathrm{\varrho})}{\mathrm{r}^{4}} \mathrm{e}^{-2 \beta \mathrm{r}}$
This is the sonar equation expressed by the r.s.c.s.
The basic acoustic quantity assigned to single fish, as used in this paper, is given by the echo-value E (Aksland 1976).

$$
\begin{equation*}
\mathrm{E}=\int_{\theta<\theta^{\prime}} \mathrm{I} \mathrm{dA}=\int_{\theta<\theta^{\prime}} \frac{\mathrm{b}^{2}(\theta, \phi) \sigma(\tau, \varrho)}{\mathrm{r}^{2}} \mathrm{dA} \tag{5}
\end{equation*}
$$

where dA is the area differential and the integral is over all the positions of the transducer in a horizontal plane above the fish within the circle $\theta=\theta^{\prime}$. The
integral can also be thought of as being over all positions of the fish in a horizontal plane beneath the transducer restricted by $\theta \leq \theta^{\prime}$, but since it is the transducer which moves in a horizontal plane during acoustic surveys, the first explanation is preferred by the author.

Substitution of $d A=r^{2} \operatorname{tg} \theta d \theta d \phi$ leads to the following equivalent expression

$$
\begin{equation*}
\mathrm{E}=\int_{\theta=0}^{\theta^{\prime}} \int_{\phi=0}^{2 \pi} \mathrm{~b}^{2}(\theta, \phi) \sigma(\tau, \varrho) \mathrm{d} \phi \operatorname{tg} \theta \mathrm{~d} \theta \tag{6}
\end{equation*}
$$

Thus it is seen from (6) that if $\sigma(\tau, \varrho)$ is independent of the depth of the fish, then $E$ is also depth independent.

For the echo-value to be uniquely defined, a value for $\theta^{\prime}$ must be given, and $\sigma$ must be expressed as a function of $\theta$ and $\phi$. At first we give the echo-value of a fish with fixed orientation in the sea.

Since the data underlying the computation in this paper only contain measurements of $\sigma(\tau, \varrho)$ in the range $\varrho=0$ and $-45^{\circ} \leq \tau \leq 45^{\circ}$, we assume that $\sigma(\tau, \varrho) \approx \sigma(\tau, 0)=\sigma(\tau)$ for small roll angles, where the $\varrho$-argument is now supressed, and that apparent roll angles where this approximation does not hold have negligible probability.

From the general discussion by Foote (1980), or simply by geometrical considerations, the following relationship for the apparent tilt angle may be deduced:

$$
\begin{equation*}
\tau=\operatorname{tg}^{-1}\left[x /\left(1-x^{2}\right)\right] \tag{7}
\end{equation*}
$$

where $\mathrm{x}=\sin \theta \cos \alpha \cos (\phi-\gamma)+\cos \theta \sin \alpha$ and $\alpha$ and $\gamma$ are the tilt and azimuth angles in relation to the sea.

Further, we introduce the special case of common circular symmetrical transmit and receive beam functions $b(\theta)$, since the transducer of survey use had this property.

Thus, the echo-value may be written $\theta^{\prime}$
$\mathrm{E}=\int_{0} \mathrm{~b}^{2}(\theta) \sigma_{\theta}(\alpha) \operatorname{tg} \theta \mathrm{d} \theta$
$2 \pi$
where $\sigma_{\theta}(\alpha)=\int \sigma(\tau) \mathrm{d} \phi$ with $\tau$ given by (7).

That $\sigma_{\theta}(\alpha)$ is independent of the azimuth $\gamma$ follows from the $2 \pi$ periodicity of $\cos (\phi-\gamma)$. The determination of $\theta^{\prime}$ is discussed below.

Normally E increases rapidly with $\theta^{\prime}$ within the transducer main lobe, after which it flattens out and remains approximately constant until $\theta^{\prime} \approx 90^{\circ}$ where


Fig. 3. Diagrams of $b(\theta)$ and $\int_{0} b^{2}(\theta) \operatorname{tg}(\theta) d \theta$
it diverges if $\sigma\left(90^{\circ}\right)$ and $\mathrm{b}\left(90^{\circ}\right)>$. When $\sigma_{\theta}(\alpha)$ is replaced by unity, the flat region has a range from the angle of -10 dB on the main lobe to more than $89^{\circ}$ for most transducers. The corresponding curve, generated by beam function of the transducer we used, is given in Fig. 3.

For normal fish distributions, $\sigma_{\theta}(\alpha)$ will be small compared to its maximum for all $\theta$ above a certain value, and it may be assumed that (8) has a similar shape as shown in Fig. 3, except perhaps for fish oriented near the vertical.

Let us define the echo-value to be that value on the flat region which, for practical purposes, can be assumed constant. The exact value for $\theta^{\prime}$ may then be conveniently chosen within the flat region, but for computational reasons a small value would be advantageous. A value of $13^{\circ}$ was used in the present work. It is seen from (8) that for fixed $\theta^{\prime}, \mathrm{E}$ is a function of $\alpha$ alone. For free-swimming fish, the orientational behaviour is modelled by a probability distribution for $\alpha$ (Foote 1980).

Now, if $\alpha$ is a random variable, so is E , and the "mean echo-value" is simply defined as the expected value for E . Denoting the probalility density of $\alpha$ by $\mathrm{f}(\alpha)$, the mean e ho-value is given by

$$
\overline{\mathrm{E}}=\int_{0}^{\theta^{\prime}} \mathrm{b}^{2}(\theta) \bar{\sigma}_{\theta} \operatorname{tg} \theta \mathrm{d} \theta
$$

where $\bar{\sigma}_{\theta}=\int \sigma_{\theta}(\alpha) \mathrm{f}(\alpha) \mathrm{d} \alpha$

$$
\mathrm{f}>0
$$

Two cven more generalized echo-value concepts are needed. These are the length regression of mean echo-value, i.e. the expectation of (9) for a random fish of given length defined as

$$
\hat{\mathrm{E}}_{1}=\int_{0}^{\theta^{\prime}} \mathrm{b}^{2}(\theta) \sigma_{\theta}(1) \operatorname{tg} \theta \mathrm{d} \theta
$$

and the overall mean echo-value which is defined from (10) for given length distribution (probability density) $h(1)$ by

$$
\begin{equation*}
\hat{\mathrm{E}}=\int_{\mathrm{h}>0} \hat{\mathrm{E}}_{1} \mathrm{~h}(1) \mathrm{dl} \tag{11}
\end{equation*}
$$

Generalization to length-dependent tilt angle distributions is straightforward, but is not used in this paper. The estimation of these several quantities is done from measurements of r.s.c.s. on anaesthetized fish tilted by a tilting apparatus.

To complete the list of fishery-acoustic concepts used in this paper, the relative echo-abundance of a sea region will be defined.

After transmitting a sound pulse at position ( $\mathrm{x}, \mathrm{y}$ ) relative to a Cartesian reference system on the sea surface, a vertical downward-looking echo sounder receives a signal which, after detection, generates a voltage signal, her denoted $\mathrm{V}_{\mathrm{x}, \mathrm{y}}(\mathrm{t})$. As in (1), the time is zero when the center of the transmitted sound pulse is emitted. In analogy with (1) we call

$$
\mathrm{I}_{\mathrm{x}, \mathrm{y}}\left(\mathrm{t}_{1}, \mathrm{t}_{2}\right)=\underset{\mathrm{k} \int_{\mathrm{t}_{1}}^{\min \left(\mathrm{t}_{2}, \mathrm{t}_{\mathrm{b}}\right)} \mathrm{V}_{\mathrm{x}, \mathrm{y}}^{2}(\mathrm{t}) \mathrm{dt}}{ }
$$

the relative echo intensity at position ( $\mathrm{x}, \mathrm{y}$ ) in the time interval $\left(\mathrm{t}_{1}, \mathrm{t}_{2}\right)$. To avoid contribution from the bottom echo in (12), $\mathrm{t}_{\mathrm{b}}$ must equal the time when the bottom echo begins to rise.

Let $D$ be a region of the sea surface. We call

$$
\begin{equation*}
M(D)=\int I_{x, y}\left(t_{t}, t_{2}\right) d A \tag{13}
\end{equation*}
$$

D
where dA is the differential area dxdy, the echo abundance within D in the time interval ( $t_{1}, t_{2}$ ). A more generalized version of (13) where $t_{1}$ and $t_{2}$ are functions of ( $\mathrm{x}, \mathrm{y}$ ) will also be used.

The relative echo intensity and hence the echo abundance contain, in addition to energy from fish echoes, also some unwanted noise energy. It is assumed that noise, caused both by external sources and echoes from planktonic organisms, is a negligible part of the echo abundance provided that the mean fish density is not too low.


Fig. 4. The solid lines at transducer level indicate the positions where the fish echo is received in time-channel $\left[t_{1}, \min .\left(t_{2}, t_{b}\right)\right] \cdot t_{b}$ is the time when the bottom echo is received.

Now, consider the echo abundance within a region D in a constant time interval ( $\mathrm{t}_{1}, \mathrm{t}_{2}$ ). Since the energy in time-overlapping echoes, according to the random phase hypothesis, is the sum of the energies from the single echoes, it follows from (1) and (13) that $M(D)$ is approximately equal to the sum of the random echo-values. Thus, because of the law of large numbers, $M(D)$ is also the sum of the mean echo-values for the fish in region $D$ and confined in depths between $\mathrm{ct}_{1} / 2$ and $\mathrm{ct}_{2} / 2$ where c is the sound speed.

However, as is seen from Fig. 4a, a fish at depth $z$ contributes its echo-value which is given by (8) with $\theta^{\prime}=\cos ^{-1}\left(2 \mathrm{z} / \mathrm{ct}_{2}\right)$. For fish at depths near $\mathrm{ct}_{2} / 2$ this will be smaller than the echo-value given by a proper value for $\theta^{\prime}$. On the other hand, as is seen from Fig. 4 b , fish at depths $\mathrm{z}>\mathrm{ct}_{1} / 2$ do contribute to the echo abundance at angles exceeding $\cos ^{-1}\left(2 \mathrm{z} / \mathrm{ct}_{1}\right)$ from the acoustic axis. Further, when a fish is near enough a flat or sloping bottom, its contribution to the echo abundance may be considerably smaller than its echo-value since many transducer positions with $\theta<\theta^{\prime}$ may have a shorter distance to the bottom than to the fish (Fig. 4c). The errors caused by the effects illustrated in Fig. 4 depend of course on the transducer beamwidth and hence on the lowest value for $\theta^{\prime}$ which can be used in (8).

For our purposes, it is assumed that the echo abundance from fishes within a region can be set equal to the sum of their mean echo-values. This implies the following relation between fish number N , echo abundance M and the overall mean echo value $\hat{E}$ for those fish:

$$
\begin{equation*}
\mathrm{M}=\mathrm{N} \hat{\mathrm{E}} \tag{14}
\end{equation*}
$$

Equation (14) is used to estimate fish number in this paper through estimation of M and $\hat{\mathrm{E}}$.

## THE FIELD WORK

A necessary condition for application of the theory outlined in the previous section, without calibration of acoustic instruments, is to use the same instruments for measurement of r.s.c.s. functions and for acoustic surveys. Constant performance in all functions of the equipment during the complete investigation must, of course, be assumed. The acoustic equipment consisted of a portable 70 kHz echo sounder and a ceramic transducer with a beam function as shown in Fig. 3.

The source level and pulse duration was given by the manufacturer Simrad $\mathrm{a} / \mathrm{s}$, as $112 \mathrm{~dB} / / 1 \mu \mathrm{Bar}$ at 1 m and 0.6 msec . The echo sounder had 10 settings of receiver gain 3 dB apart, and TVG settings of $20 \log \mathrm{r}$ and $40 \log$ r. Pulse repetition rates of 90 and 180 pulses per second ( pps ) were available. The cabinet had two sets of outputs for trigger pulse and received signal, and a marker button, which in addition to marking the paper also switched the output trigger pulse off when pushed.

The output echo signal was converted to 10 kHz in order to facilitate recording on analog tape. During operation the outputs were connected to an oscilloscope and to a conventional high-quality portable cassette recorder. The trigger pulse and acoustic signals were recorded on separate tracks. The echo sounder had a test setting in which a constant test signal was fed to the TVG amplifier. The test output was always recorded on the tape as reference for the acoustic signal, thus making superfluous an exact and known recorder gain setting. The system was powered by a 12 v storage battery.

Measurements of absolute target strength on herring at 70 kHz did not exist at the start of this project so it was decided to incorporate such measurements. However, since it was natural to use the same echo sounder and transducer both for measurements and acoustic surveys, relative values were sufficient, and the measurements were done without calibration.
The field work is classified into three parts:

1. Measurements of the r.s.c.s. function of single fish.
2. Acoustic reconnoitering and surveying along zig-zag nets.
3. Catching of herring in gill-nets for analysis of the length distribution and other biological parameters.

Measurements under part 1 were done during 2-8 September 1978 at the location shown in Fig. 5. The location was chosen for its sheltered environment and its sufficient depth of $10-12 \mathrm{~m}$.

The experimental setup was similar to that of Nakken and Olsen (1973) with the exception that a smaller float was used, and that data were recorded in analog form on to the cassette recorder. The transducer depth was approximately 10 m , and the distance between target and transducer 8.35 m . The pulse repetition rate was 3 per sec giving 170 pulses over one rotation of tilt angle


Fig. 5. Location used for the measurements of relative scattering cross-section functions.
from $-45^{\circ}$ to $45^{\circ}$. The different measurement series were separated in the recordings by time intervals without trigger pulse produced by depressing the marker button a second or so before and after each measurement series.

A total of 118 fish consisting og 15 sprat of lengths $7.3-12.9 \mathrm{~cm}, 92$ herring of lengths $7.9-36.5 \mathrm{~cm}$ and 11 fish of others species were measured. Of these, only herring and sprat will be used in this paper. The sprat are included for the analysis of autumn surveys where a mixture of sprat and 0 -group herring were found. This is, however, not reported here.

The fish were caught by purse seine and transported to the location of measurement in net cages. However, although the smallest fish were caught the night before they were measured, most of them did not survive and had to be measured dead.

A 40 mm steel sphere was used to test the setup and included a series of measurement at each receiver gain setting.

A target depth of approximately 1.65 m was chosen as the separation of target and surface echo was excellent there. However, some of the measurements were later disturbed by echoes from air bubbles near the surface which occasionally were brought into the measurement position by local currents.

Acoustic surveys across the area of distribution of the spawning stock were done by the same method in late March 1978, 1979 and 1980. A 30 -foot motor boat equipped with navigation radar was used, and the transducer was mounted on a special frame approximately 1 m in front of the bow as shown in Fig. 6.

The date of the first survey each year was determined from estimates of the degree of maturation of herring in gill net catches taken regularly from the middle of March. The spawning stock aggregated in the same area each year, and it was found that the best time for survey was just before spawning since the fish distribution was then concentrated and relatively stabilized.

When most of the herring in the catches was fully matured, the geographic


Fig. 6. Transducer setup.
distribution of the stock was determined from reconnoitering surveys. These showed that the stock concentrated in one or a very few large schools during the day, which at night spread out slightly into one connected layer of variable, but high density. The layer always covered less than 50 acres as is seen from Fig. 13 and 14 in the next section. The echoes from mature herring in this layer were always dominant in relation to echoes from other sources.

When the state of maturation indicated a possible spawning within a week or so, the surveys were commenced the same evening. A zig-zag net was designed, and care was taken to ensure that the courses could be followed in the dark by radar. Thanks to the radar, the actual courses followed could be traced relatively accurately on a map after each survey.

Before each survey the receiver gain was set by adjusting peaks of the strongest echo signals slightly but safely below the clipping level of the output amplifier. The recording level on the cassette recorder was further adjusted to just accept the clipping level without causing tape saturation, and so after recording the test-signal for 30 seconds, the survey could start. In order to obtain a relationship between every part of the acoustic signal and the corresponding position on the survey net, the boat was held at constant speed throughout the survey, and the marker button was depressed during each turn to a new course. Trigger pulses were thus stored on the straight part of the courses only.

In 1978 two repetitive surveys were carried out around midnight 28-29 March. The survey nets are shown in Fig. 13. The depth distribution can be read from Fig. 7 where it is seen that most of the herring was found between 10 and 25 m depth.

In 1979 three repetitive surveys were done before midnight on 27 March. Although the herring distribution was geographically similar to that of 1978, the depth distribution was different. As can be seen from Fig. 7 the herring was found from surface to 18 m and this may be the reason why it reacted so


Fig. 7. Illustration of depth distributions.
strongly to the boat. Fig. 14 shows that between survey 1 and survey 3 the herring moved southeast off Bjørnøy.

In 1980 the survey was conducted two hours before midnight on 30 March. The geographical distribution was slightly different this year since the herring were closer to Bjørnøy and stretched farther to each end of the island as compared to the two previous years. The depth distribution was from 4 to 15 m.

Two additional surveys were conducted the next evening, but by then most of the herring had migrated out of the region, and as such only the first survey will be used.

Apart from fish caught by purse seine for measurement of r.s.c.s., all fish samples were caught by gill nets at the positions shown in Fig. 8. The catch for length-distribution analysis of the spawning stock were done over 3 to 4 nights terminating the first day after the acoustic survey. Since the acoustic signal from 1978 could not be used, as is explained in the next section, the gill net samples from this year will not be discussed.

In 1979 and 1980 gill nets with mesh sizes 21, 24, 26, 29 and 31 mm were used. Apart from the 26 mm net, the areas of the gill nets are proportional to the mesh sizes. The 26 mm gill net was larger than the others and was only used in the preinvestigations for determination of the degree of maturation.


Fig. 8. Gill net position.


Fig. 9. Length distributions in the gill net catches. The lowest bars corresponds to one fish.

The last of these catches, however, is used together with the others for length distribution analysis. The length distributions for each mesh size are shown in Fig. 9. The measure of relative effort is proportional to the product of gill net area and the number of nights with catching.

## DATA PROCESSING AND ANALYSIS

Since no existing equipment for processing of acoustic signals according to the method presented in the first section were suitable, the analog signals had to be digitized and stored for later processing by general computers. This was done on board the R/V "G. O. Sars" in Bergen in June 1980 on a system consisting of an $\mathrm{A} / \mathrm{D}$ converter, a Nord 10 computer and a digital tape station.

A 10 kHz bandpass filter with 4 kHz bandwidth was used between the cassette recorder and the system input to lower the signal-to-tape noise ratio. Actually this reduced the noise level by as much as 10 dB for the weakest parts of the signals. The signal was converted to 12 bit numbers at a rate of 15150 Hz , and all numbers from one sound pulse were stored in one block. The digitized part of the signal extended from the surface to a given depth which was set as small as possible for each new digital tape without losing any fish echoes. Further, the time of a computer clock was stored as the first number in each block in order to be able to detect separations between series of pulses (produced during the recordings by depression of the marker button). The input gain was held constant throughout the digitizing, giving a value of


Fig. 10. 1. Test-signal; 2. Signal with transmit and bottom echo; 3 and 4. Signals from spawning stock 1979; 5-8. Echoes from the measurements r.s.c.s. showing transmit pulse and surface echo; 5 . Good echo; 6. Strong echo with air bubble noise; 7. Strong but good echo; 8. Weak echo.
approximately 2400 for signals corresponding to tape saturation. The noise readings had digital values between 0 and 6 . Some of the digitized signals are shown in Fig. 10. There is $66 \mu \mathrm{~s}$ between successive readings, shown as horizontal lines, giving 20 lines, per $m$ depth.

The designing of computer programs for processing the data constituted the most time-consuming part of the present project and was performed mainly on Nord 100 computer system at the Institute of Marine Research. Because special software was needed, some routines were also run at the computer center at the University of Bergen.

As the natural addressing on the tapes is by block number and within blocks by "sequence number", a correspondence to the actual geographical positions on the surveys and for the r.s.c.s. data, a correspondance to the measured fish numbers had to be established. Establishing this constituted the first step of the data processing.

The time between successive trigger pulses obtained from the stored computer clock times were tested against the time given by the used pulse repetition rate. When this was sufficiently exceeded, the last block read was the first in a new series of pulses. To pick out false series caused by possible weak
trigger pulses, reset of the computer clock and some stops during the digitizing, two special routines were included. One of these examined each block for a bottom echo. As tests on any bottom echo level could not be used because of the limited dynamic range on the analog tapes, the sum of between 20 and 30 sequential sequence numbers scanned over the block was tested against a value which as a rule was exceeded when a bottom echo was hit, but very seldom when hitting echoes from fish concentrations. If a bottom echo was found, the sequence number of its center was plotted at a line printer, otherwise, the block was checked for the presence of a test signal. If present, pertinent information was written on the line printer. If not present, a star was written to indicate that the bottom echo was beyond the range of digitized values. In fact, the output of the program showed the bottom contour of those parts of the survey where the bottom was above a certain depth. Further, each single series of pulses, usually corresponding to a leg of the survey net, was separated by written information about the number of blocks in the previous series and the block number of the first pulse in the next series. The other routine, written for the r.s.c.s. data, differed from the first one only in that the peak values of the target echoes were plotted instead of the position of the bottom echo.

For a more detailed examination of the data, an interactive program, here called "the investigation program", was designed. With a tape mounted on the tape station the program is able to perform the following upon input of proper codes and parameter values:

1. Advance or backspace to a given block number and read its content into memory.
2. Display the voltage readings within a given interval of sequence numbers on the terminal screen by their actual number.
3. Plot the selected voltage readings by means of stars on the terminal screen.

The programs described hitherto were necessary for obtaining information such as addresses for any part of the data in terms of block numbers and sequence numbers. The investigation program was also used to check the quality of the data. In fact, some defects were found which could be remedied. These are described later.

The most serious defects, however, were found in the 1978 survey data, which had to be rejected for the following reason: The transmit pulse and bottom echo as shown in Fig. 10.2, which should be fairly constant because they are clipped in the echo sounder, varied considerably. Since large parts were at the tape saturation level, these defects could not be compensated for. The echo sounder was changed the following summer, but as similar variations, although smaller, were also found in data from the new echo sounder, there is reason to beleive that they were caused by the tape recorder.

It was, however, not necessary to reject any of these data since the defects could be compensated for.

The data processing was continued by analysis of the test signal series. Examination of test-signals recorded with " $20 \log$ r" TVG showed that they were fairly linear functions of the depth, at least above 30 m where the majority of fish echoes could be found (Fig. 10.1). This was accepted since absorption is negligible at small depths.

Because all parts of the data should be referred to their appropriate test signal series, a measure of the test signal strength had to be calculated. It was chosen to base this measure upon the maximal signal over the signals in each series since individual variations within a series were mainly caused by drops in the strength. A straight line was fitted by hand to the maximized signal and the squared ordinate of this line at the depth of 12 m was used as the measure of test signal strength.

To perform echo integration for the survey and r.s.c.s. data, the voltage readings have to be squared. However, when checking the analog tape recorder, the linear relationship between voltage in and voltage out was found to have broken down for input intensities approximately 8 dB below the lowest value causing complete tape saturation. Because parts of the signals had values above this linear domain, a routine was written which squared a voltage reading after compensating for possible nonlinearity during analog recording.

Investigation of the r.s.c.s. data showed that no fish echo contained more than 17 sequence numbers (Fig. 10. 5-8). However, the location of the echoes was not quite constant possibly due to small variations in the depth of the fish during tilting and also variations in the form and location of the trigger pulses. The smallest fixed interval containing all echoes had to consist of more than 30 sequence numbers, and to avoid the integration of noise, a routine was written which located the echo and summed its squared voltages over just 17 sequence numbers. Also, since some of the data contained air bubble noise, which is seen in Fig. 9.6, and which most often was at the echo-tail nearest the surface, the routine was able to adjust the interval of integration slightly away from the noise. Further, if both tails were badly mixed with noise, the squared peak value of the echo was calculated and multiplied by the factor 7.1 , which was obtained as the mean of the ratios between summed squared values and the squared peak value of 2500 echoes with negligible noise.

After rejection of measurements containing defective data, a total of 93 measured fish with length range $7.3-32 \mathrm{~cm}$ was picked for computation of the r.s.c.s. function (2). The measured echoes from these fishes were integrated by the routines just described, and the corresponding r.s.c.s. functions computed by use of the associated test-signal strengths and receiver gain levels. Some of the calculated functions are shown in Fig. 11.

Next, a program for computing mean echo values for a set of tilt angle


Fig. 11. 42 relative scattering cross section functions between $-45^{\circ}$ and $45^{\circ}$ of fish of different sizes. The $y$-axis is linear with the same arbitrary chosen unit between the ticks.







Fig. 11. Cont.






Fig. 11. Cont.






Fig. 11. Cont.


Fig. 11. Cont.







Fig. 11. Cont.







Fig. I1. Cont.

Table 1. Tilt angle distributions used for calculation of abundance estimates.

| Mean <br> (degrees) | Standard deviation <br> (degrees) | Behaviour |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :--- |
| 10 |  | 10 | 20 | Mean upward-looking fish. <br> 0 | 10 |

distributions was written. Normal tilt angle distributions truncated four standard deviations from their mean, and further specified in Table 1, were used. The program performed numerical integration of (9) for all selected r.s.c.s. functions and each tilt angle distribution.

Foote (1980) found that his averaged fish target strengths were linearly related to the logarithm of fish length. As the scattering cross section is an exponential function of target strength, the mean echo values may be regressed on fish length $I$ by the relation $\mathrm{Al}^{B}$, for some constants A and B depending on the tilt angle distribution. In fact, 11 relations

$$
\mathrm{A}_{\mathrm{i}} \mathrm{~B}^{\mathrm{B}_{\mathrm{i}}}+\mathrm{C} \quad \mathrm{i}=1,2, \ldots, 11
$$

were fitted by the least squares method to the computed mean echo-values corresponding to the 11 distributions given in Table 1.

More precisely, denoting the mean echo-value for the j -th measured fish with $i$-th distribution by $E_{i j}$, and it's length by $L_{j}$, the constant $A_{i}, B_{i}$, $\mathrm{i}=1,2, \ldots, 11$ and C were determined to minimize
$Q=\sum_{i=1}^{93} \sum_{j=1}^{11} \frac{\left(E_{i j}-C-A_{i} L_{j} B_{i}\right)^{2}}{L_{j}{ }^{2}}$
where C will be interpreted as the mean contribution from noise sources. The minimization program also had a routine which plotted the regression curves
$\mathrm{A}_{\mathrm{i}}{ }^{1} \mathrm{~B}_{\mathrm{i}}$
together with the mean echo-value data as shown in Fig. 12. Since C, which was estimated as 4 , represents noise, it was subtracted from the data points and (15) before plotting.

To compute an estimate of the overall mean echo-value per fish in the spawning stock, an estimate of the length distribution of the stock is needed in (11).


Fig. 12. The computed length regression given by $A(\text { LENGTH })^{B}$ of the mean echo-values at 11 tilt angle distributions. The data points are marked with $\square$ for herring and $\triangle$ for sprat.



Fig. 12. Cont.



Fig. 12. Cont.



Fig. 12. Cont.



Fig. 12. Cont.


Fig. 12. Cont.
The length distributions in the gill net samples are shown in Fig. 10, and for estimation of the length distribution of the stock from these, the gill net selection curves are needed. Models underlying methods for determining selection curves based on catches with different mesh sizes assume a known relationship between curves apart from some unknown parameters. Moreover, each length group of the unknown length distribution has to be represented by a sufficient number of fish in the catches from at least two mesh sizes (Hamley 1975). It is also known that selection curves may have two maximums, especially for fish with small head girth in relation to maximum girth, as for herring (Hamley 1975). In addition, many experiments have shown that selection curves have generally larger maxima for large mesh sizes than for small.

Inspection of our data shows that these give inadequate information about the selection curves. Thus, to avoid the difficulties of estimating selection curves, the following simple method to estimate the over all mean echo-value (10) was adopted:

The approximation

$$
\int_{\mathrm{h}>0} \hat{\mathrm{E}}_{1} \mathrm{~h}(1) \mathrm{dl} \approx \hat{\mathrm{E}}_{\overline{\mathrm{L}}}
$$

for (11), where $\overline{\mathrm{L}}$ is a rough and subjective estimate, from Fig. 10, of the mean length per fish in the stock, was used. This is justified because (17) yields exact equality when $\hat{E}_{1}$ is a linear function of 1 , and because inspection of the regression curves in Fig. 12 shows that these are fairly linear within the range of fish lengths in the spawning stock. Also, even without knowing the exact selection curves, the error in $\overline{\mathrm{L}}$ will hopefully not be serious.
The spawning stock in 1980 is divided into two groups, the new recruits and the older fish. The mean fish lengths were determined as 27.5 cm in 1979 and as 21 and 28 cm , respectively, for the new recruits and the older fish in 1980. The overall mean echo-values were computed and are given in Table 2.

Table 2. Overall mean echo-value pr fish (eq. 11) in the spawning stock in 1979 and 1980 for different tilt angle distributions.

| Tilt angle distribution |  | 1979 | 1980 |  |
| :---: | :---: | :---: | :---: | :---: |
| Mean | Standard deviation | All | Older fish | New recruits |
| 10 | 10 | 64.5 | 66.6 | 39.6 |
| 10 | 20 | 84.7 | 87.4 | 52.7 |
| 0 | 10 | 131.1 | 135.5 | 83.8 |
| 0 | 20 | 109.9 | 113.4 | 69.3 |
| 0 | 30 | 87.2 | 90.0 | 54.6 |
| -10 | 10 | 193.3 | 199.2 | 123.2 |
| -10 | 20 | 121.8 | 125.6 | 77.2 |
| -20 | 10 | 158.3 | 163.1 | 101.2 |
| -20 | 20 | 114.0 | 117.5 | 72.2 |
| -30 | 20 | 89.4 | 92.2 | 56.2 |
| -40 | 20 | 60.9 | 62.9 | 37.7 |

The survey data were next processed by computing the relative echo intensity (12) from each sound pulse along the different survey nets. For the time interval ( $t_{1}, t_{2}$ ) in (12), a constant value of $t_{1}$ was used, while $t_{2}$ was varied in steps to separate bottom and herring echoes. The computed echo intensities were averaged over intervals of 20 subsequent sound pulses to reduce the amount of data.

The data processing was concluded with computation of estimates of the total echo abundance (13) and plotting of the geographical distribution of the relative echo intensities for the different surveys in 1979 and 1980 as shown in Fig. 14. a), b) and c). The distribution of the stock in 1978 as shown in Fig. 13 is obtained from the echograms.

There exists no theory for statistically estimating the integral of a


Fig. 13. The geographical distribution of herring in 1978 as judged from the echograms together with the two survey nets used.
two-dimensional function based on observations along a non-random system of lines. Although subjective methods such as hand-drawing isolines in a map where the data values are written, and estimating the integral from the areas between those isolines are usual in fisheries biology, a different method was used in the present analysis.

The subroute package NAG (Numerical Algorithm Group) contains a routine which fit a bivariate normalized spline function to the values of arbitrary data points in the plane (Hayes and Halliday 1974). Experimentation with this routine showed that the input echo intensity data had to be supplemented by a set of zero values along an assumed edge of the fish distribution; otherwise the spline function did not perform satisfactorily. The fitted spline functions are shown in Fig. 14 a), b) and c) which are 3-dimensional perspective plots made by routines from the subroutine package "Surrender" under GPGS (Zacrisen 1979).

Estimates of the echo abundance (13) were computed by simply summing the spline values over a regular grid. The results are given in Table 3.

Table 3. Echo abundance (eq. 13) for the different surveys.

| Survey | $1979-1$ | $1979-2$ | $1979-3$ | 1980 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Echo abundance $\ldots$. | $20.610^{6}$ | $16.910^{6}$ | $15.1 \quad 10^{6}$ | $44.5 \quad 10^{6}$ |

Since the new recruits in 1980 were only caught in the left tail of the 21 mm mesh selection curve as shown in Fig. 10, their ratio, R, to the number of older herring cannot be determined. Hence, estimates for a given set of such ratios are given.


Fig. 14. Perspective plots of the distributions of echo abundance in 1979 and 1980 from different directions. The distance between the lines is 10 m . The view is from $50^{\circ}$ above the horizontal for the surveys 1979-1 and 1980, while the same for 1979-2 and 3 is $40^{\circ}$ and $30^{\circ}$ respectively. a) Survey at 1030 p.m. 27 March 1979; b) Survey at 1115 p.m. (above) and 1200 p.m. (below) 27 March 1979; c) Survey at 100 p.m. 30 March 1980.


Fig. 14. Cont.

Denoting the echo abundance by M , the mean echo-value for recruits and older fish by $\mathrm{C}_{\mathrm{R}}$ and C and their numbers by $\mathrm{N}_{\mathrm{R}}$ and N respectively, we have
$\mathrm{N}_{\mathrm{R}} \mathrm{C}_{\mathrm{R}}+\mathrm{NC}=\mathrm{M}$
$\mathrm{R}=\mathrm{N}_{\mathrm{R}} / \mathrm{N}$
from which $\mathrm{N}_{\mathrm{R}}$ and N were calculated at the values $0.6,0.8,1.0,1.2,1.6,2.0$ and 2.5 for R .


Fig. 14. Cont.
Apart from many programs and routines not mentioned, this completed the data processing, and the following estimates given in Table 4 are based on the computations.

The table gives estimates of number of herring in thousands. For the 1980 survey number of older fish and new recruits are given beneath each value of $R$ (see text).

Table 4. Estimates of number of herring in thousands for the different tilt angle distributions. For the survey in 1980, number of older fish and new recruits are given beneath each value of R which is the ratio between the numbers.

| Tilt angle distribution | 1979 survey 1 |  |  |  |  |  | 1980 survey |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 2 | 3 | R 0.6 | 0.8 | 1.0 | 1.2 | 1.6 | 2.0 | 2.5 |
| 010 | 152 | 129 | 115 | 240144 | 220176 | 203203 | 189226 | 165264 | 147294 | 129322 |
| 020 | 182 | 153 | 138 | 287172 | 264211 | 244244 | 226272 | 198317 | 177353 | 155388 |
| 030 | 229 | 193 | 173 | 362217 | 333266 | 308308 | 286343 | 251401 | 223447 | 196491 |
| -10 10 | 103 | 87 | 78 | 16398 | 149120 | 138138 | 128154 | 112180 | 100200 | 88219 |
| -10 20 | 165 | 136 | 124 | 259155 | 238190 | 219219 | 204245 | 179286 | 159318 | 140349 |
| -20 10 | 126 | 107 | 96 | 199119 | 182146 | 168168 | 156188 | 137219 | 122244 | 107267 |
| -20 20 | 175 | 148 |  | 2.77166 | 254203 | 235235 | 218262 | 191306 | 170340 | 149373 |
| -30 20 | 224 | 189 |  | 353212 | 324260 | 300300 | 279334 | 244391 | 217435 | 191478 |
| -40 20 |  | 276 | 248 |  |  |  |  |  |  |  |

## DISCUSSION

The given estimates may be influenced by a set of non-random errors which are shortly discussed. In 1979 avoidance behaviour took place due to the depth distribution which extended nearly to the surface. If the avoidance reaction did not cause any serious reduction in the fish density below the transducer, it may be described by a tilt angle distribution with negative mean, but the reduction in echo abundance from survey 1 to 3 in 1979 is, however, most probably explained by a combination of geographical spreading to regions beyond the area covered by the survey nets and a decrease in the mean of the tilt angle distribution. As seen from Tables 2 and 3, the reduction in echo abundance from survey 1 to 3 corresponds to the reduction induced by replacing tilt angle distribution $(-20,20)$ by ( $-30,20$ ).

In any case it may be assumed that the echo abundance of survey 1 is not a serious underestimate caused by avoidance-induced reduction in fish density. It is, however, difficult to give an estimate of the tilt angle distribution, but according to the observed disturbance of the herring, an overall mean echo-value larger than that given by the $(-20,20)$ tilt angle distribution in Table 2 is doubtful. The larger echo abundance in 1980 may be explained by the considerable recruitment to the spawning stock that year, but also in part by less avoidance reaction since it is seen from Table 4 that under the assumption of the same tilt angle distribution as in the first survey in 1979 and the survey in 1980, the number of recruits has to be at least twice the number of older fish to account for any mortality between those surveys.

Another possible source of error is that of the r.s.c.s. measurements. These may not be representative of the surveyed fish. An experiment by Foote (1982) has shown that the averaged backscattering cross section of anaesthetized fish
is representative of that of similar, but free-swimming fish, when the tilt angle distribution is known. If the anaesthetized and free-swimming fish are dissimilar, then the connection may not be valid. This is a concern here since the r.s.c.s was determined for non-spawning herring, while the survey was performed on spawning herring. Ona's description of the effect of large gonads on the swimbladder form (OnA 1982) strengthens the suspicion of acoustic differences. The likely effect of this is underestimation of the stock, although by unknown magnitude.

The analog storing process on the conventional tape recorder may also give rise to errors due to high sensitivity to factors such as variations in tape quality, variations in head cleanness and possible dust particles between tape and head. Errors of this kind were observed in our data as drops in the stored signal, but its resultant effect is assumed to be negligible. Although the use of high quality instrument recorders will almost eliminate this, its cost would be unreasonably high.

The possibility that parts of the herring stock were beyond the region covered by each survey net is judged to be small since reconnoiterings showed no sign of this at times close to the surveys.

The purpose of the present investigations was, however, to obtain the first rough estimates of the size of the herring stock for use in a more extensive study of the Lindaaspoll ecosystem. It is hoped that the estimates in Table 4 at least specify the order of magnitude of the stock.

## ACKNOWLEDGMENT

I want to thank those colleagues and students at the Department of Fisheries Biology, University of Bergen, and colleagues at the Institute of Marine Research, Bergen, who took part in the field work, for their outstanding help in preparing and performing the different field activities. I wish particulary to thank Kenneth G. Foote, Institute of Marine Research, for valuable discussions and for taking part in the measurements of scattering cross section and also in some of the surveys. Per Eide, Institute of Marine Research, is also specially thanked for designing a program to store the digitized signals.

## REFERENCES

Aksland, M. 1976. Estimators in acoustic surveying of fish populations. Coun.Meet.int. Coun. Explor. Sea, 1976 (B:36):1-19.
Dahl, O., Østvedt, O. J. and Lie, U. 1973. An introduction to a study of the marine echosystem and local herring stock in Lindaaspollene. FiskDir. Skr. Ser. HavUnders., 16: 148-158.
Foote, K. G. 1980. Averaging of fish target strength functions. J. Acoust. Soc. Am., 67: 504-515.
Foote, K. G. 1980. Linearity of Fisheries Acoustics, with Addition Theorems. Symp. on Fisheries Acoustics, Bergen 1982 (43): 1-18.
Hamley, J. M. 1975. Review of Gillnet Selectivity. J. Fish. Res. Bd Can., 32: 1943-1969.
Hayes, J. G. and Halliday, J. 1974. The Least-squares Fitting of Cubic Spline Surfaces to General Data Sets. J. Inst. Math. and its Appl., 14: 89-103.

Johannessen, A. Studies on the ecology and population dynamics of eggs and larvae of herring (Clupea harengus
L.) in Lindaaspollene, zestern Nonway, during 1977-1980. (Dr. scient. Thesis, in prep.)

Lie, U., Dahl, O. and Østvedt, O. J. 1978. Aspects of the life history of the local herring stock in Lindaaspollene, western Norway. FiskDir. Skr. Ser. HavUnders., 16: 369-404.
Nakken, O. and Olsen, K. 1977. Target Strength Measurements of Fish. P.52-69 in Margetts,
A. R. ed. Hydro-Acoustics in Fisheries Research. Rapp. P.-v. Réun. Cons. int. Explor. Mer, 170.

Ona, E. 1982. Kartlegging av svommeblarens form og formstabilitet for teoretiske beregninger av akustisk refleksjon fra fisk. Thesis cand. real. University of Bergen, Norway (in press, in Norwegian).
Zachrisen, M. 1979. Surrender-A bivariate subroutine package for rendering bivariate surfaces.
SINTEF report no. STFI4 A79020, RUNIT Univ. of Trondheim, Nonway.
Received 2 July 1982
Printed 19 May 1983

